

Ambiguity and Nonlinearity in the Assimilation of Visible and Infrared Satellite Observations



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Introduction

Previous Talks on assimilation experiments in idealized OSSEs

- EAKF can utilize satellite observations despite nonlinear observation operators
- Visible and infrared observations: high potential impact comparable to 2D radar assimilation
- Highest impact when state errors are horizontal location errors and can be seen on a 2D satellite image

⇒ [Kugler, Anderson, Weissmann \(2023\), QJRM](#)



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Content today:

- 1) Combined assimilation of visible and infrared radiances
- 2) Nonlinearity of observation operators



Comparison of visible and infrared observations

Channel is sensitive to ...	Infrared 6.2 μm	Infrared 7.3 μm	Visible 0.6 μm
Tropospheric water vapor			
Cloud top height			
Cloud thickness (liquid/ice water path)			
Clouds below thin ice clouds			
Clouds below ~600 hPa			

Comparison of visible and infrared observations

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Tropospheric water vapor	✓	✓	
Cloud top height	✓	✓	
Cloud thickness (liquid/ice water path)	✗	✗	
Clouds below thin ice clouds	✗	✗	
Clouds below ~600 hPa	✗	✓ ~850 hPa	

Comparison of visible and infrared observations

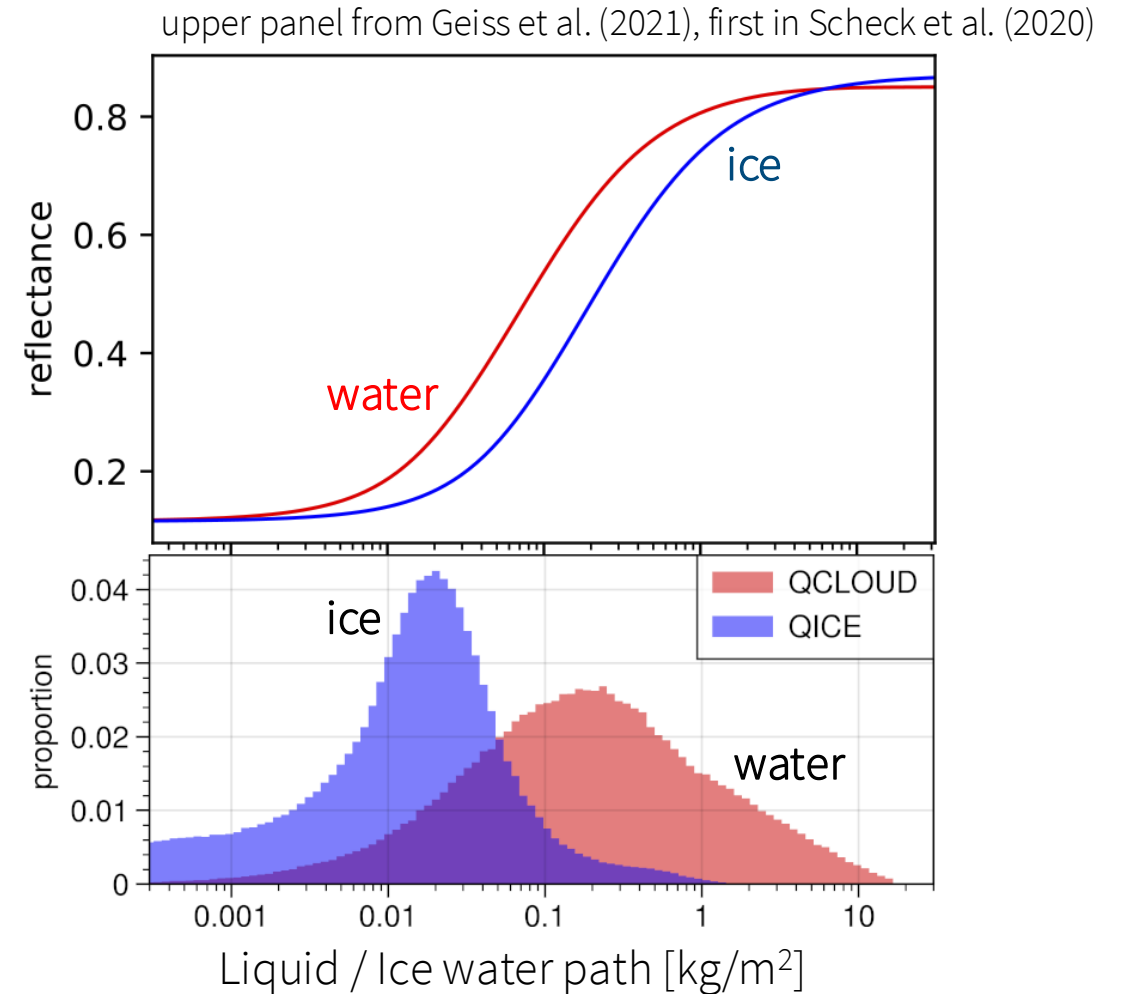
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Sensitivity of visible reflectance to water and ice

How does it see through ice?

Figure: Sensitivity of visible reflectance to water and ice

Reasons:



Sensitivity of visible reflectance to water and ice

How does it see through ice?

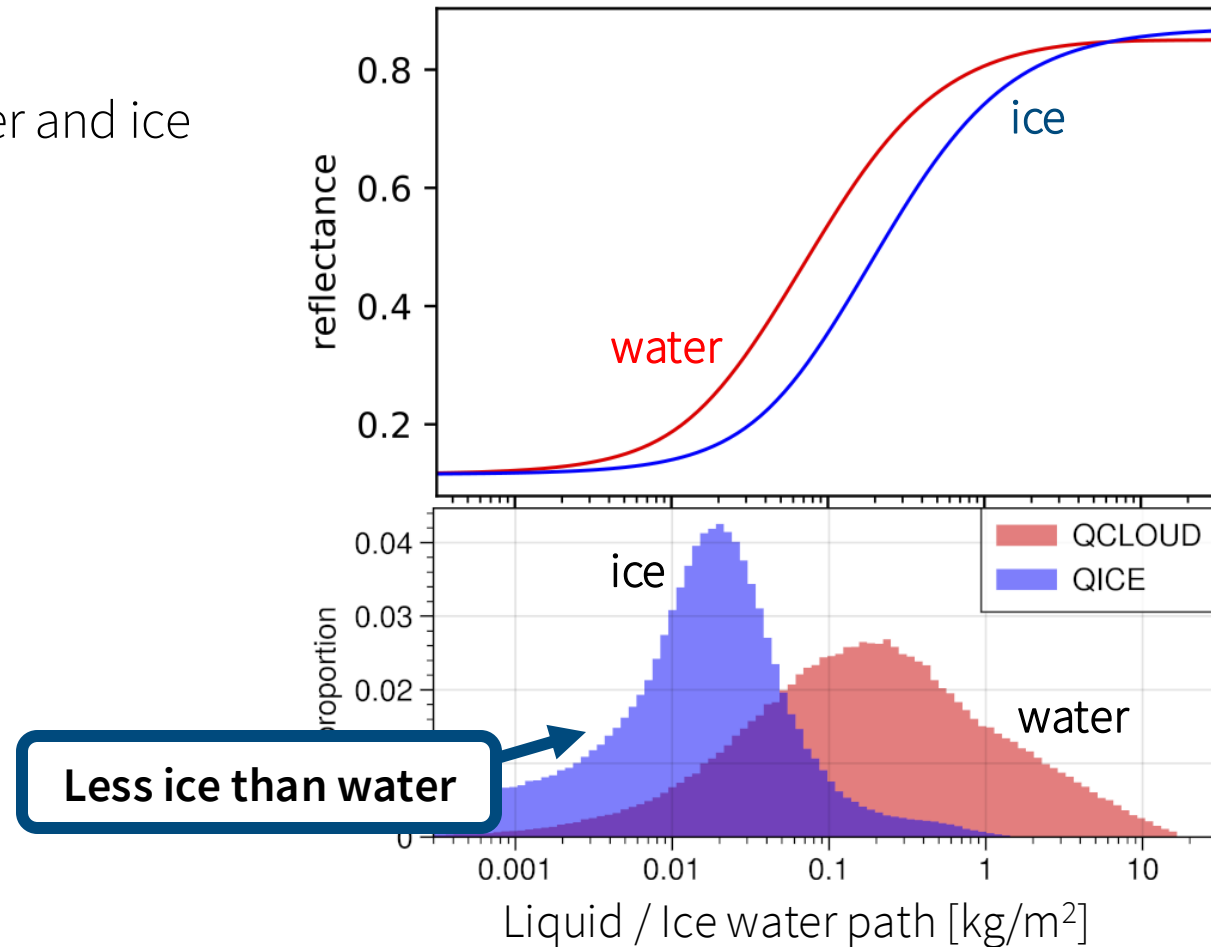
Figure: Sensitivity of visible reflectance to water and ice

Reasons:

- Ice water path < liquid water path [kg/m^2]

Lower ice mass $\Rightarrow$ reduced reflectance

upper panel from Geiss et al. (2021), first in Scheck et al. (2020)



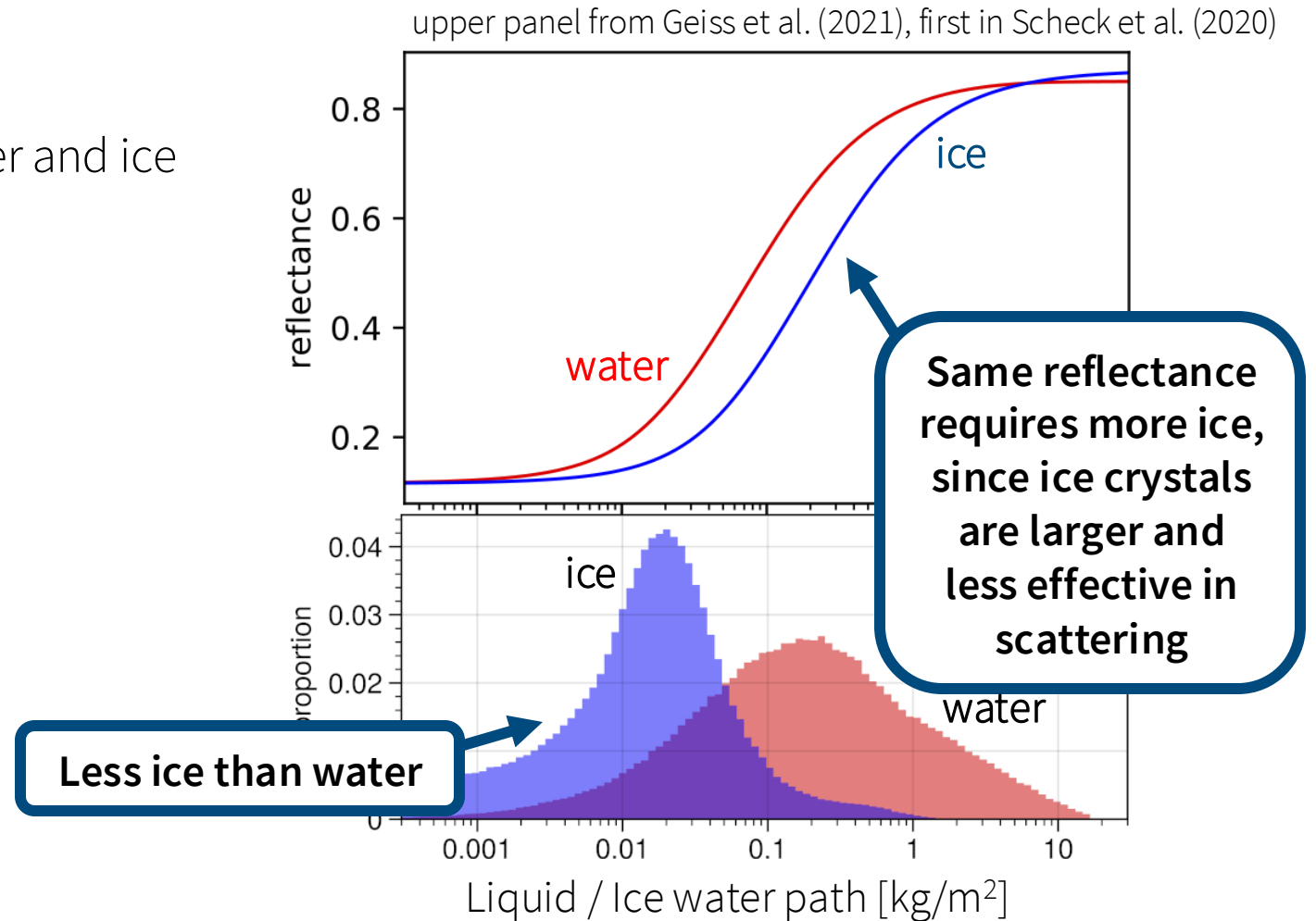
Sensitivity of visible reflectance to water and ice

How does it see through ice?

Figure: Sensitivity of visible reflectance to water and ice

Reasons:

- Ice water path < liquid water path [kg/m^2]
Lower ice mass $\Rightarrow$ reduced reflectance
- Larger average diameter of ice hydrometeors
Fewer particles $\Rightarrow$ reduced reflectance



Sensitivity of visible reflectance to water and ice

How does it see through ice?

Figure: Sensitivity of visible reflectance to water and ice

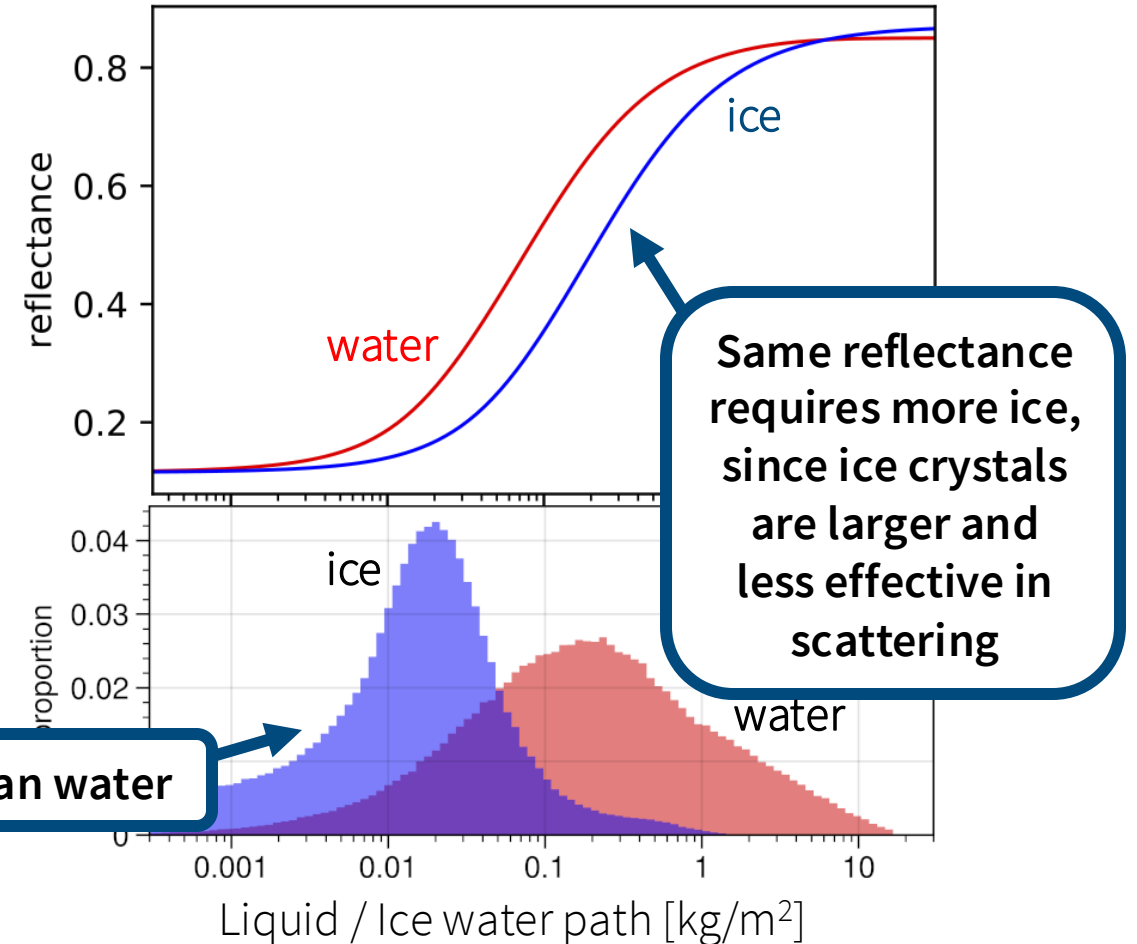
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Lower ice mass $\Rightarrow$ reduced reflectance
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Fewer particles $\Rightarrow$ reduced reflectance

$\Rightarrow$ Ice clouds tend to be translucent in the visible channel

Less ice than water

upper panel from Geiss et al. (2021), first in Scheck et al. (2020)



Combination can mitigate ambiguity

- Different clouds can yield the same observation
 - Infrared: Cumulonimbus and cirrus clouds
 - Visible: Shallow cumulus and cumulonimbus

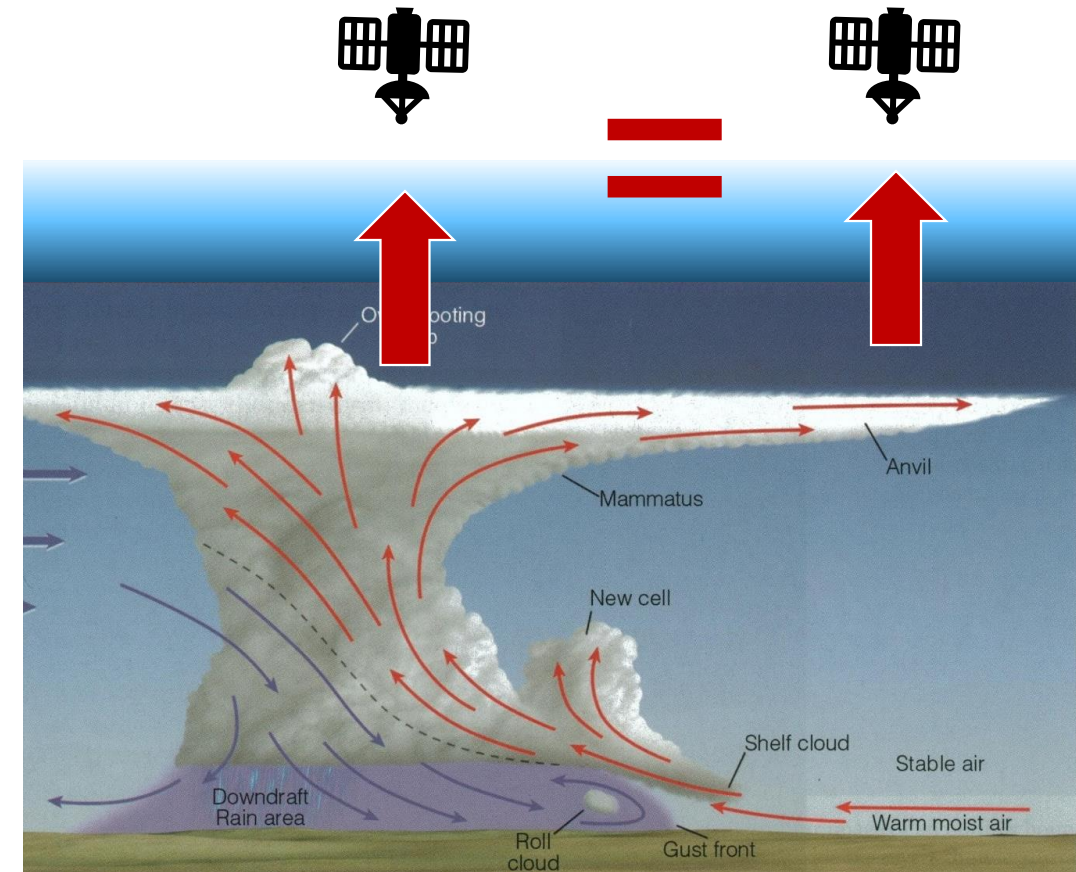


Figure source unknown

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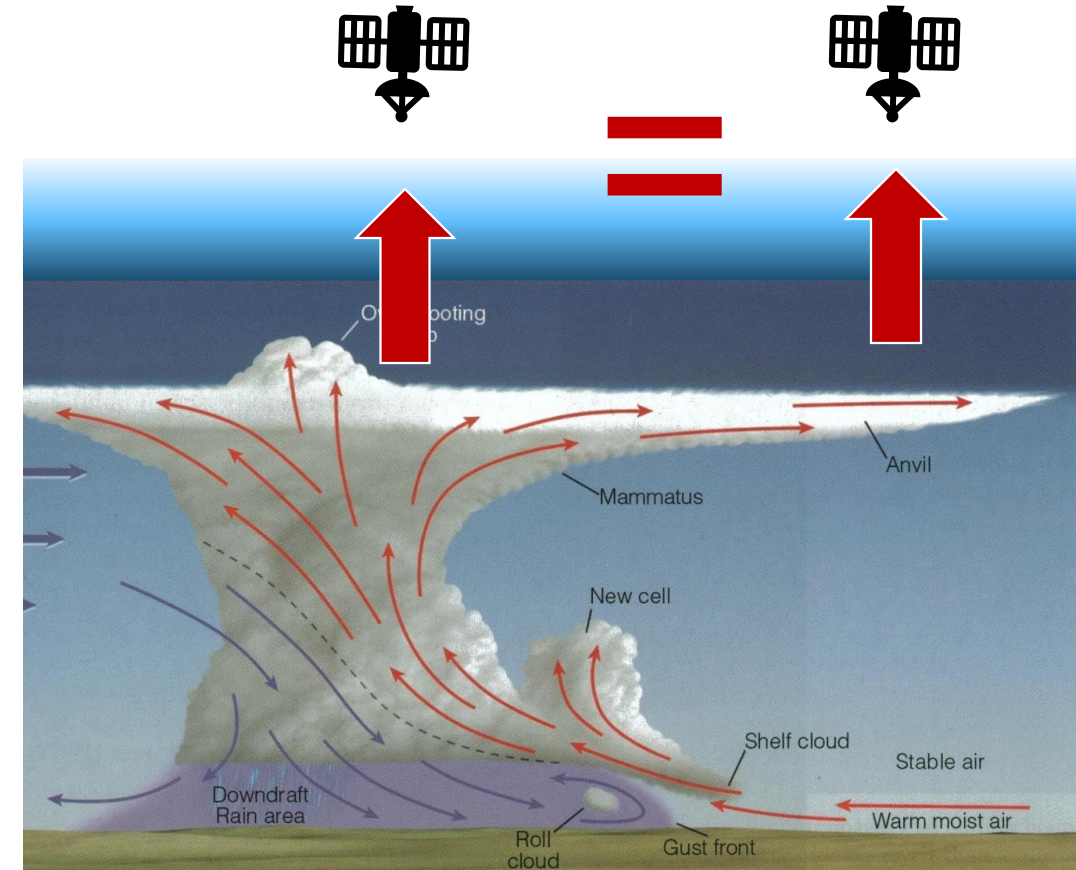


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Combination can mitigate ambiguity

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Proposed solution

- Assimilate visible reflectance additionally because ice clouds tend to be translucent in the visible

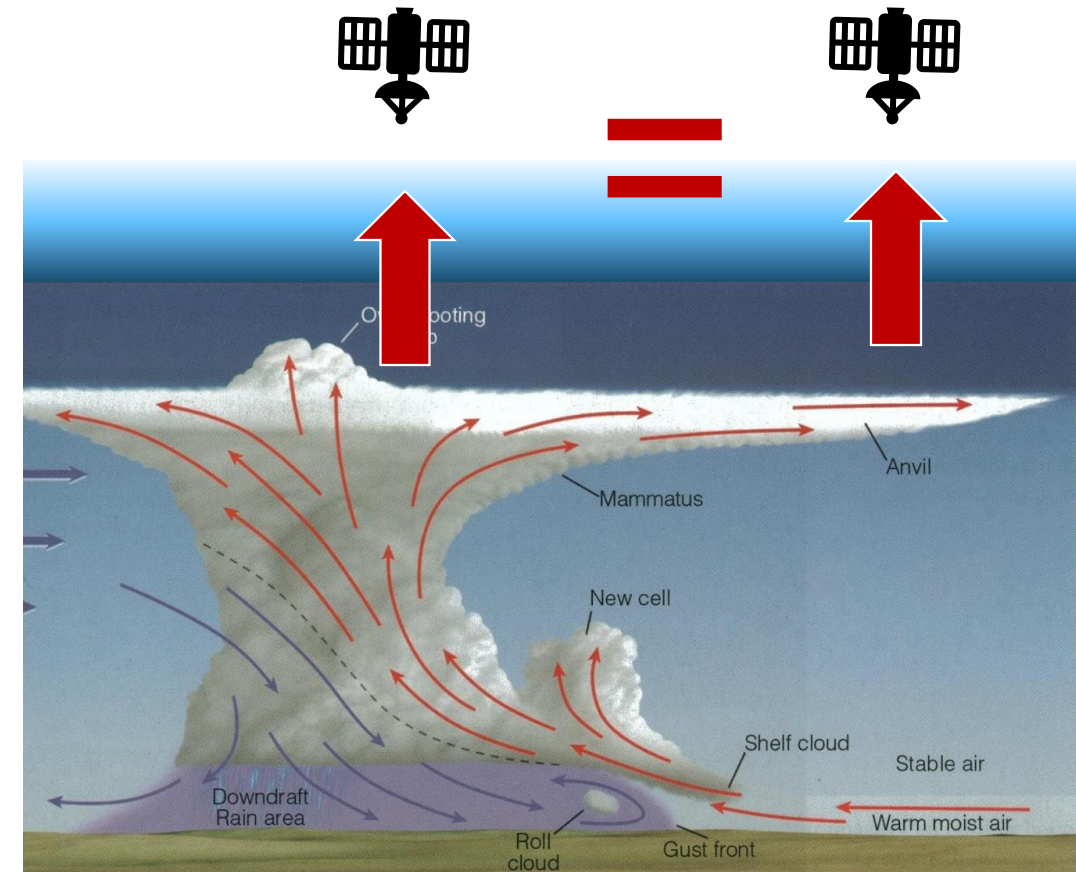
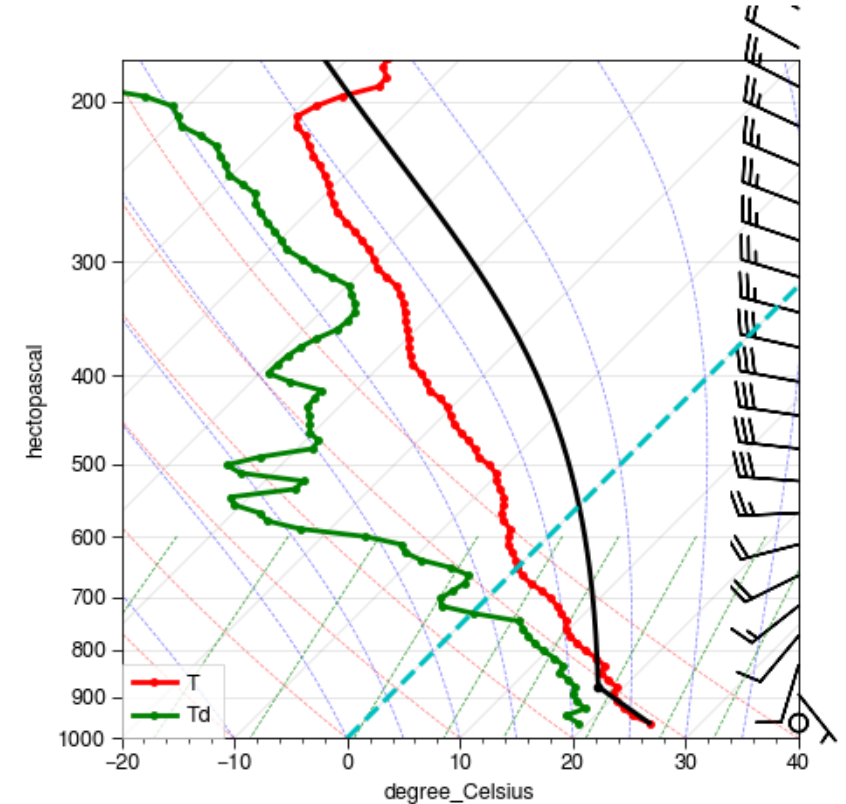


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Methods: Observing-system simulation experiments

We conducted

- Idealized OSSEs
 - Perfect model and observation operator
 - Periodic boundary conditions
 - Flat and homogeneous terrain
 - Chosen initial conditions for supercells with random prior errors



Initial conditions Skew-T diagram (temperature-dewpoint-wind)

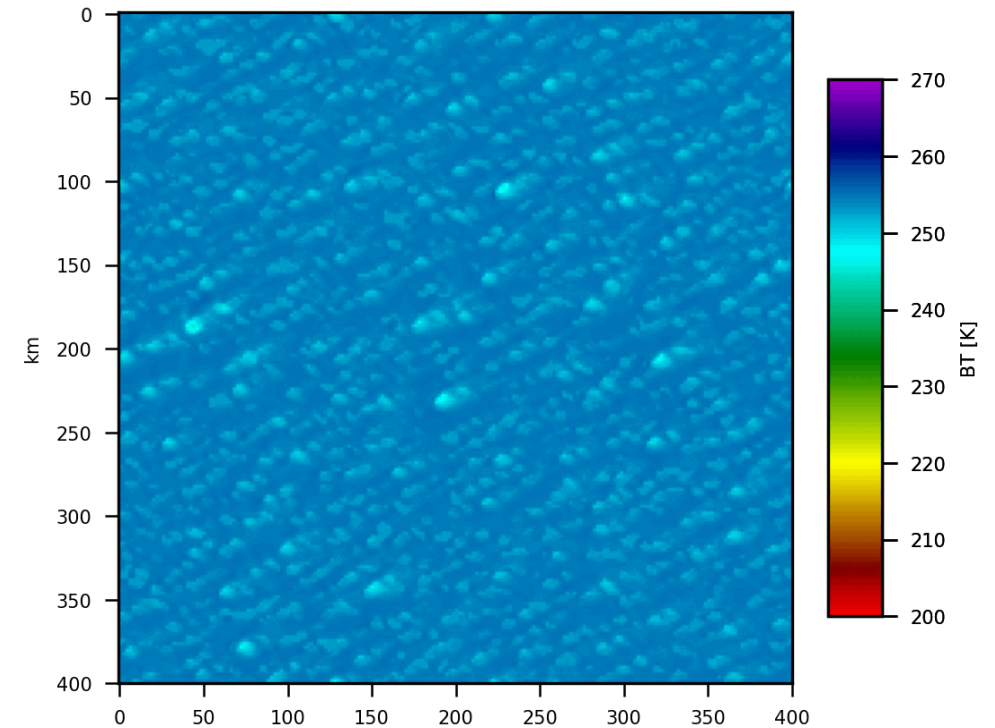
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Using

- WRF model domain of size 400 x 400 km, $\Delta x = 2$ km
- RTTOV/MFASIS for visible radiances (Scheck et al., 2016)
- Ensemble Adjustment Kalman Filter (Anderson, 2001) as implemented in DART (NCAR, <http://dart.ucar.edu>)
 - 25 configuration settings explored (obs.-types, inflation)



Infrared satellite observations simulated from the nature run

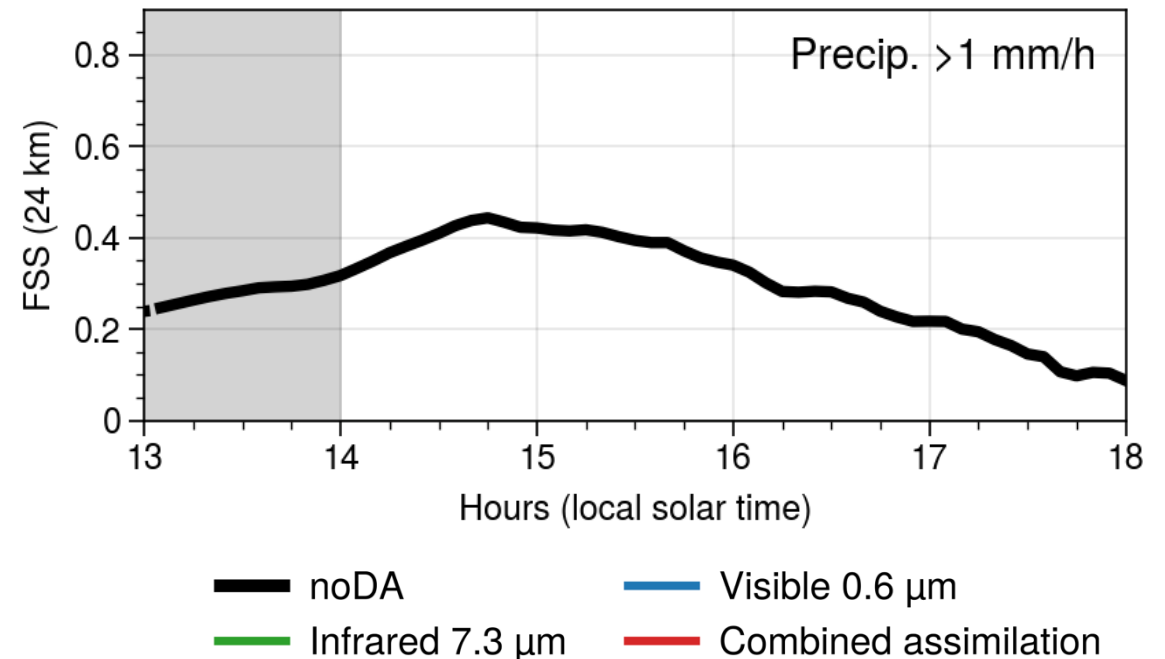
Results: Combined assimilation of visible and infrared

To combine the strengths of individual channels

- We assimilated visible and infrared radiance

Result:

- Improved forecasts of precipitation and cloudiness over individual assimilation



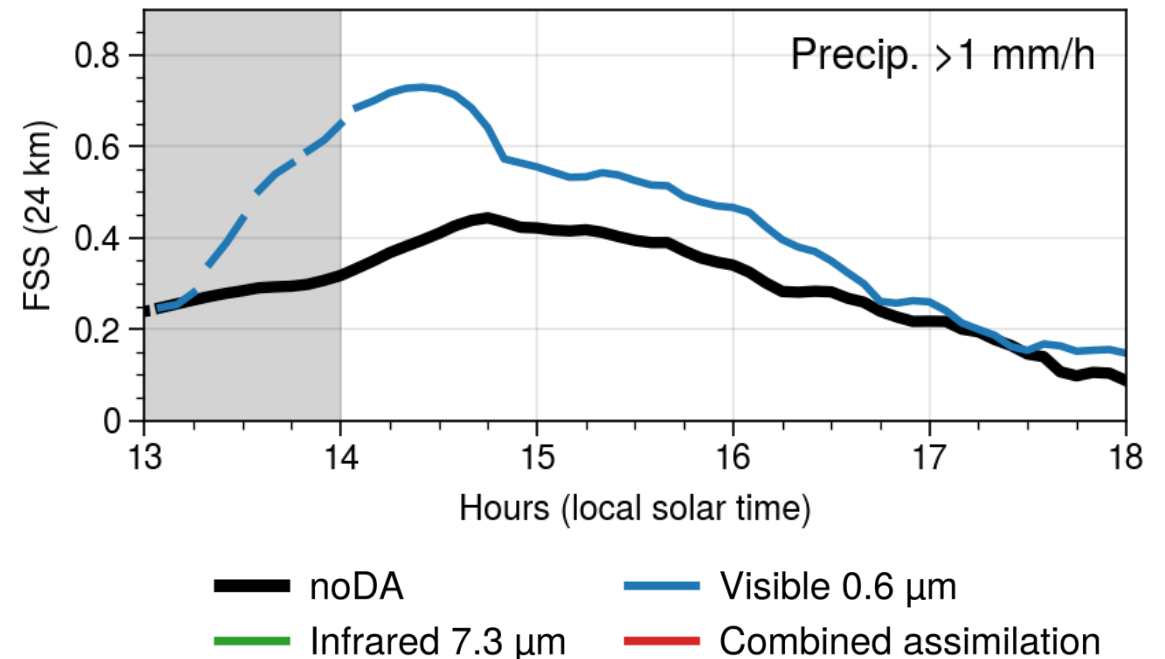
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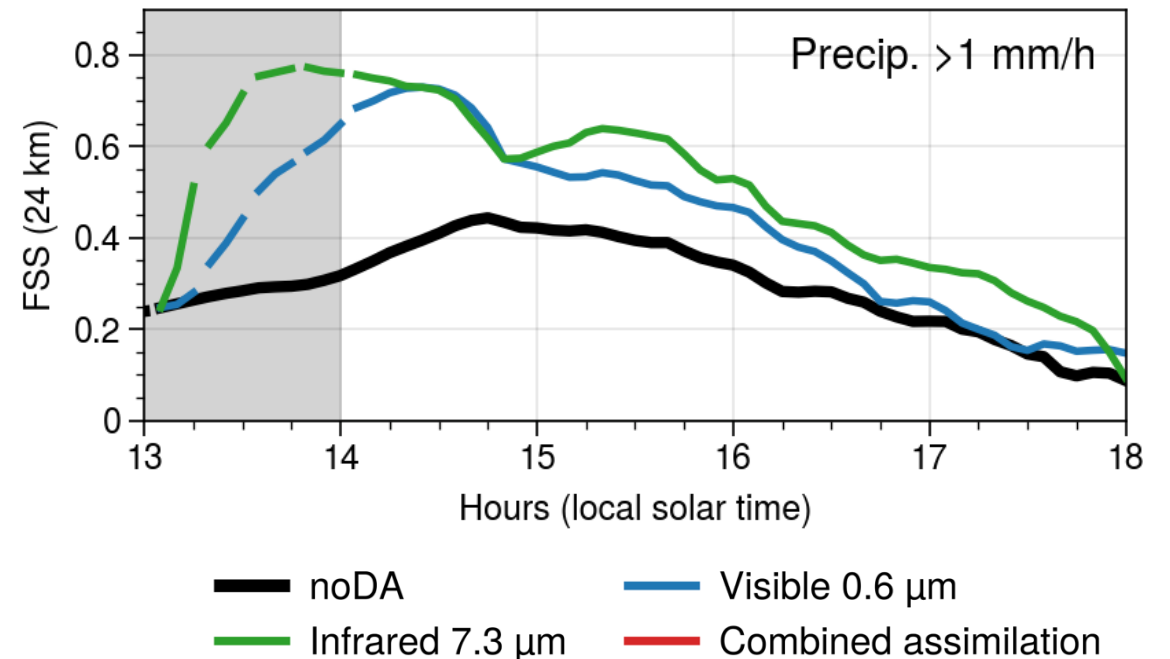
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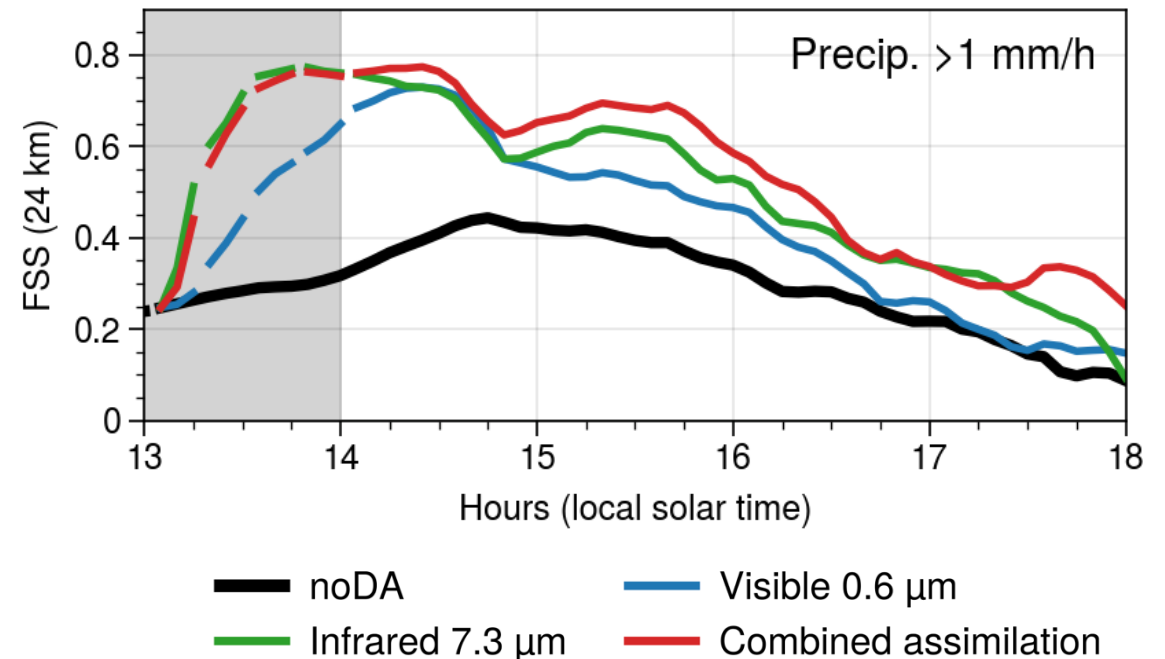
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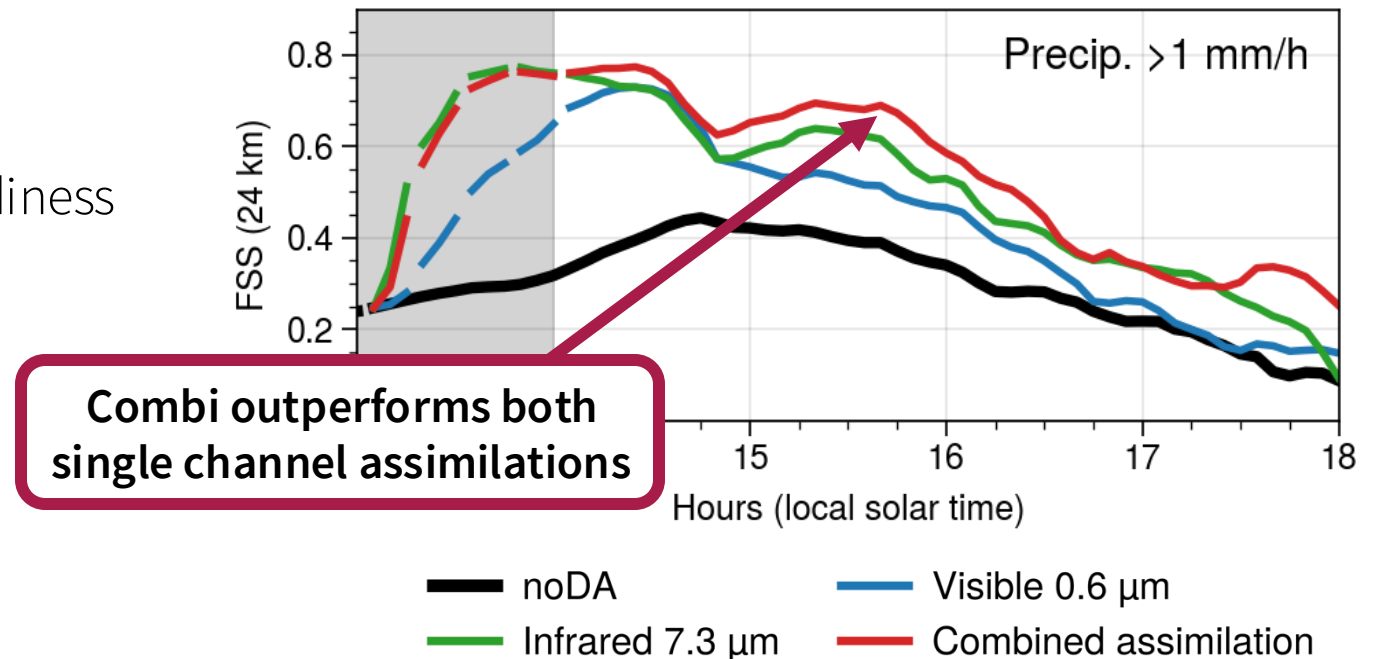
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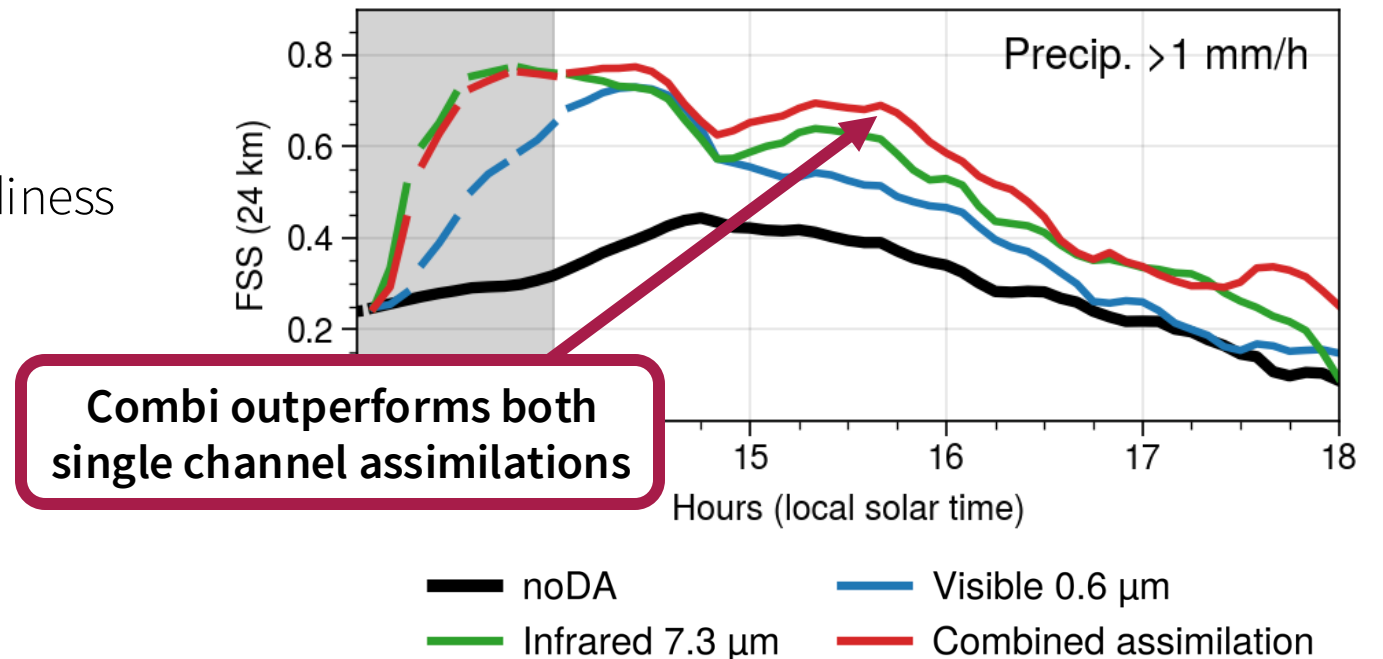
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To combine the strengths of individual channels

- We assimilated visible and infrared radiance

Result:

- Improved forecasts of precipitation and cloudiness over individual assimilation
- Comparable skill as radar assimilation



Results: Combined assimilation

Impact on the analysis of cloud variables

- Evaluated different cloud categories

Results: Combined assimilation

Impact on the analysis of cloud variables

- Evaluated different cloud categories



Category 1:
Columns in which
the nature run has
only ice clouds

Results: Combined assimilation

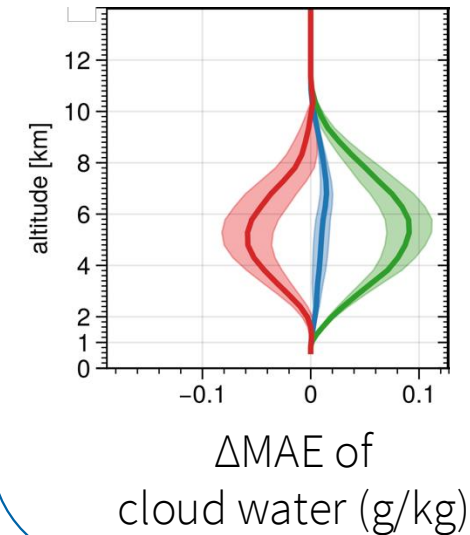
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Category 1:
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Vertical profiles of analysis error reduction



— noDA — Visible 0.6 μm
— Infrared 7.3 μm — Combined assimilation

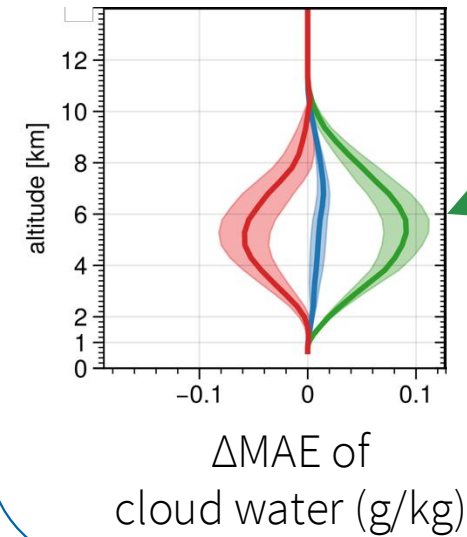
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Vertical profiles of analysis error reduction



**Infrared adds
wrong cloud
water**

— noDA — Visible 0.6 μ m
— Infrared 7.3 μ m — Combined assimilation

Results: Combined assimilation

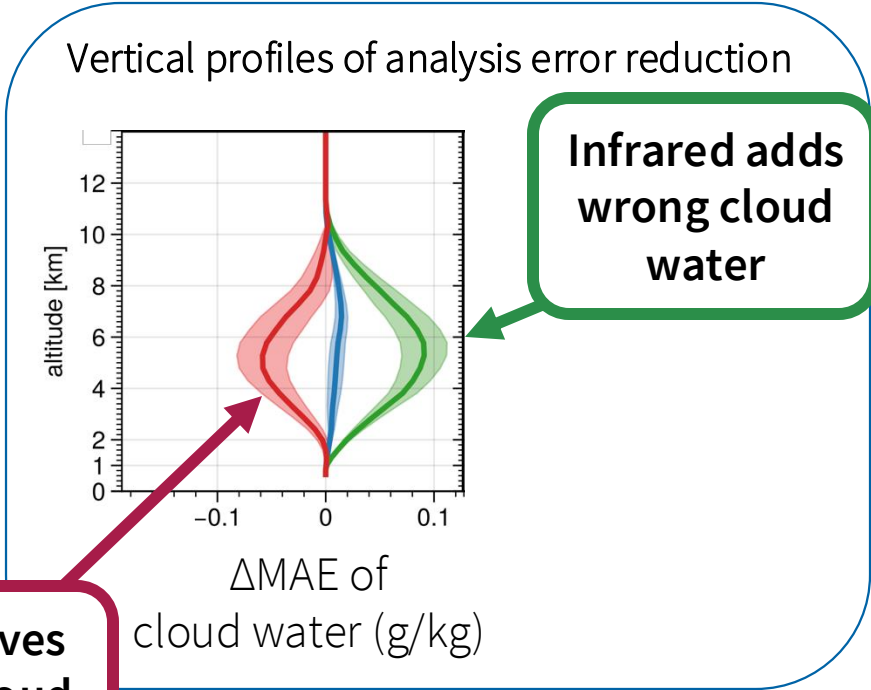
Impact on the analysis of cloud variables

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Category 1:
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**Combination removes
erroneous water cloud
below ice cloud**



noDA Visible 0.6 μm
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Results: Combined assimilation

Impact on the analysis of cloud variables

- Evaluated different cloud categories

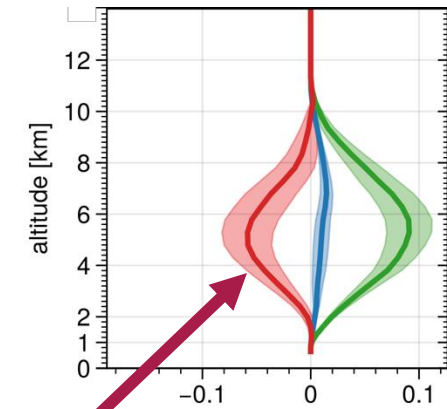


Category 1:
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Result:

- Combination outperforms single channels for cases with only ice clouds in nature
- Combined assimilation mitigates ambiguity

Vertical profiles of analysis error reduction



**Infrared adds
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Results: Combined assimilation

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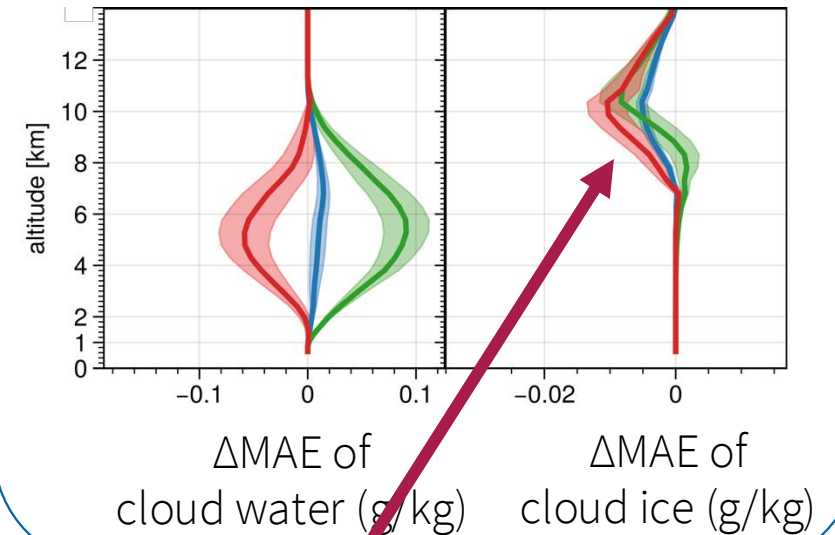


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Vertical profiles of analysis error reduction



**Combination better than single
channel assimilations**

— noDA — Visible 0.6 μm
— Infrared 7.3 μm — Combined assimilation

Results: Combined assimilation

Impact on the analysis of cloud variables

- Evaluated different cloud categories

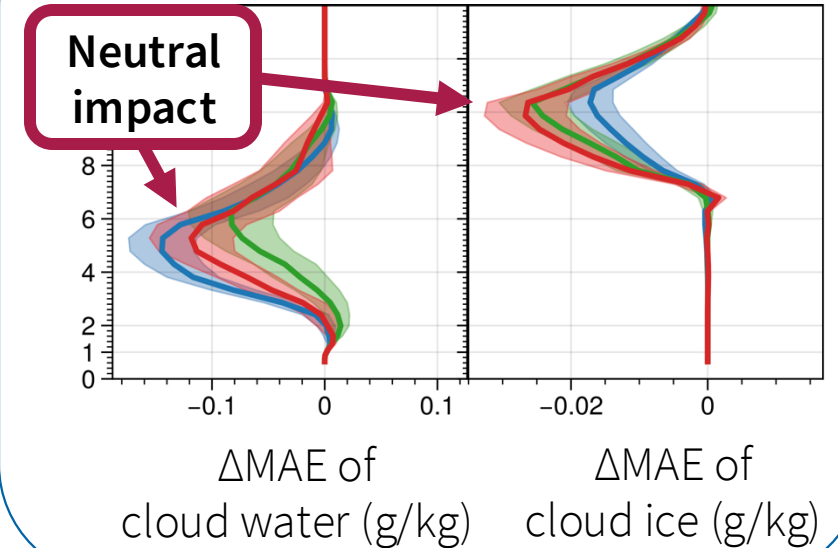


Category 2:
Columns in which
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water & ice clouds

Result:

- Combination outperforms single channels for cases with only ice clouds in nature
- Combined assimilation mitigates ambiguity

Vertical profiles of analysis error reduction



— noDA — Visible 0.6 μm
— Infrared 7.3 μm — Combined assimilation

Part 2: Effect of Nonlinear Observation Operators

We see that

- The nonlinear observation operator causes **deviations of the posterior** from the expectation with a linear observation operator

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- The nonlinear observation operator causes **deviations of the posterior** from the expectation with a linear observation operator

Goal:

- Understand and quantify deviations for visible reflectance and infrared brightness temperature

Definition of the Nonlinearity Deviation

Linear posterior $\overline{y_{\text{linear}}^a} = \overline{\mathcal{H}(x_{ij}^b)} + \frac{\sigma_b^2}{\sigma_b^2 + \sigma_o^2} (y^o - \overline{\mathcal{H}(x_{ij}^b)})$
→ theoretical expectation

Definition of the Nonlinearity Deviation

Linear posterior

$$\overline{y_{\text{linear}}^a} = \underbrace{\overline{\mathcal{H}(x_{ij}^b)}}_{\rightarrow \text{prior ensemble mean (averaged in observation space)}} + \frac{\sigma_b^2}{\sigma_b^2 + \sigma_o^2} (y^o - \underbrace{\overline{\mathcal{H}(x_{ij}^b)}}_{\text{ensemble member } i = 1, \dots, N \text{ model space variable } j = 1, \dots, M})$$

$\rightarrow$ prior ensemble mean (averaged in observation space)

Definition of the Nonlinearity Deviation

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Definition of the Nonlinearity Deviation

Linear posterior
→ theoretical expectation

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Nonlinear posterior
→ actual analysis

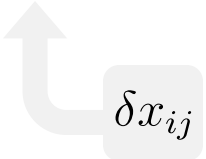
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Nonlinear posterior
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$$\overline{y_{\text{nonlinear}}^a} = \overline{\mathcal{H}(x_{ij}^b + \delta x_{ij})}$$

$$\delta x_{ij} = \frac{\text{Cov}(x_{ij}^b, \mathcal{H}(x_{ij}^b))}{\text{Var}(\mathcal{H}(x_{ij}^b))} (y_i^a - \mathcal{H}(x_{ij}^b))$$

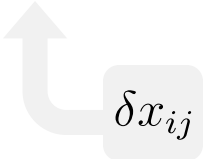
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Definition of the Nonlinearity Deviation

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$\delta x_{ij} = \frac{\text{Cov}(x_{ij}^b, \mathcal{H}(x_{ij}^b))}{\text{Var}(\mathcal{H}(x_{ij}^b))} (y_i^a - \mathcal{H}(x_{ij}^b))$

→ regression coefficient from observation to model space

Definition of the Nonlinearity Deviation

Linear posterior
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→ prior ensemble perturbations

Definition of the Nonlinearity Deviation

Linear posterior
→ theoretical expectation

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→ variance adjustment factor

Definition of the Nonlinearity Deviation

A nonlinear observation operator introduces a deviation of the posterior in observation space.

Linear posterior
→ theoretical expectation

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Nonlinear posterior
→ actual analysis

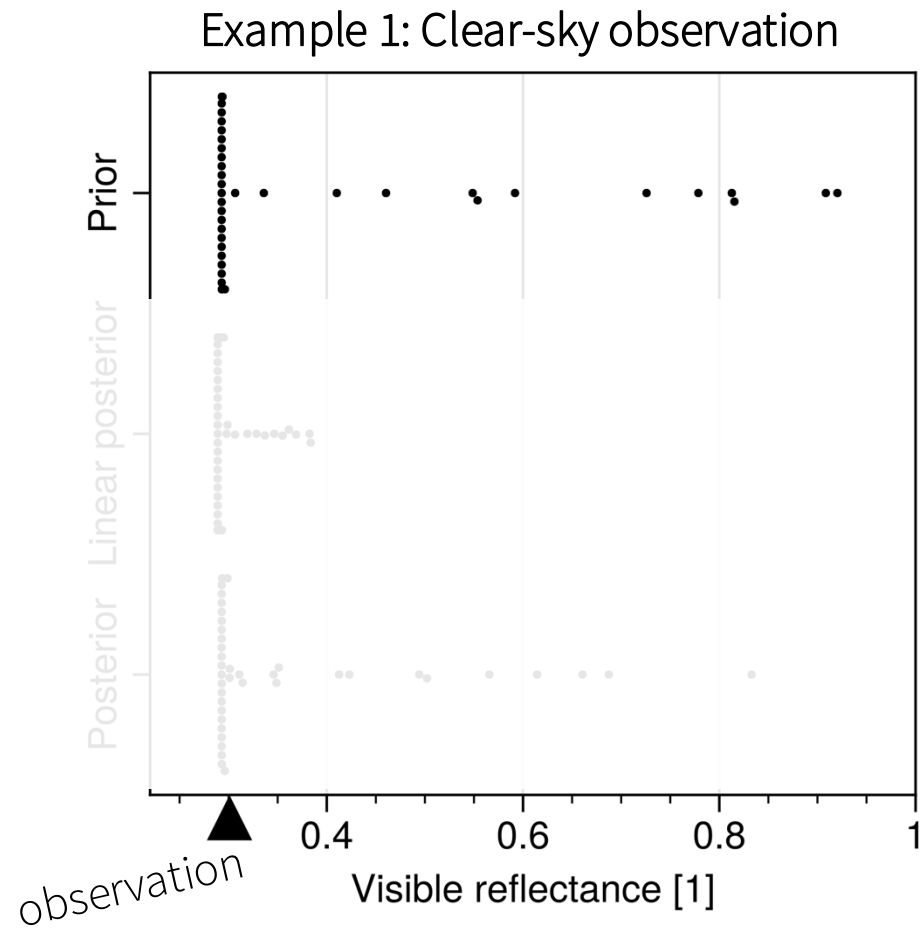
$$\overline{y_{\text{nonlinear}}^a} = \overline{\mathcal{H}(x_{ij}^b + \delta x_{ij})} \quad \dots \text{applying the operator to the updated state}$$

$$\delta x_{ij} = \frac{\text{Cov}(x_{ij}^b, \mathcal{H}(x_{ij}^b))}{\text{Var}(\mathcal{H}(x_{ij}^b))} (y_i^a - \mathcal{H}(x_{ij}^b))$$

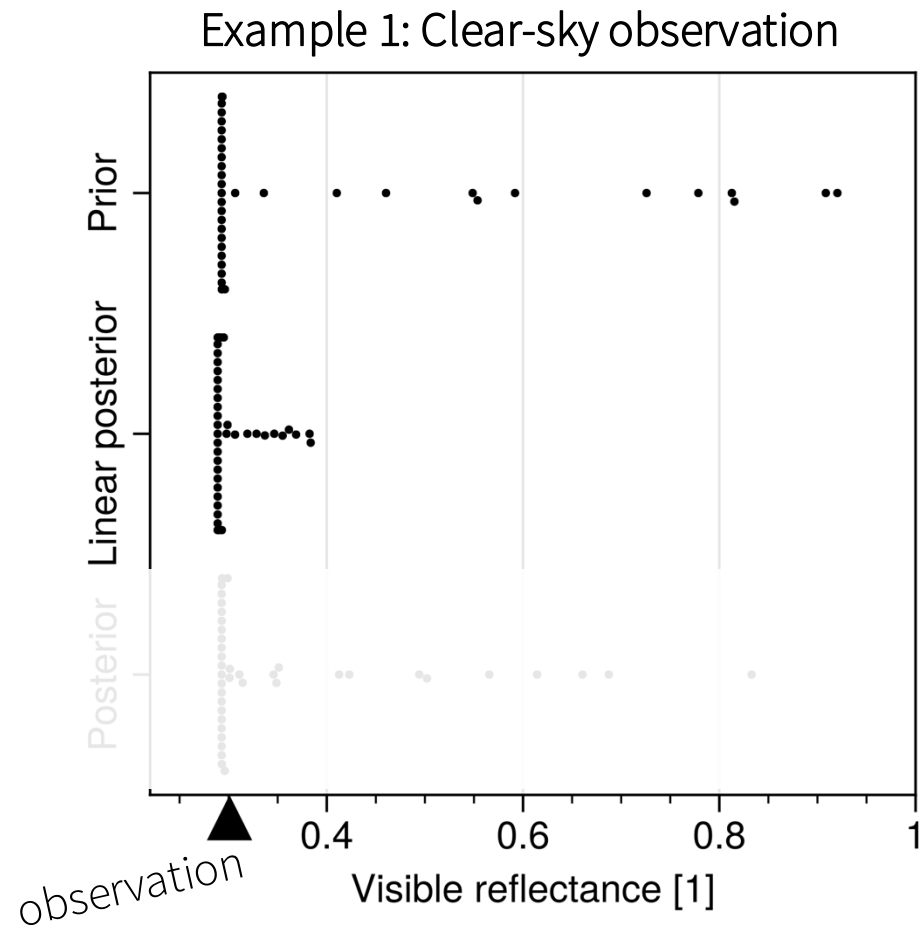
⇒ The actual posterior deviates from our expectation!

$$y_i^a = \overline{y_{\text{linear}}^a} + \sqrt{\frac{\sigma_o^2}{\sigma_o^2 + \sigma_b^2}} \left(\mathcal{H}(x_{ij}^b) - \overline{\mathcal{H}(x_{ij}^b)} \right)$$

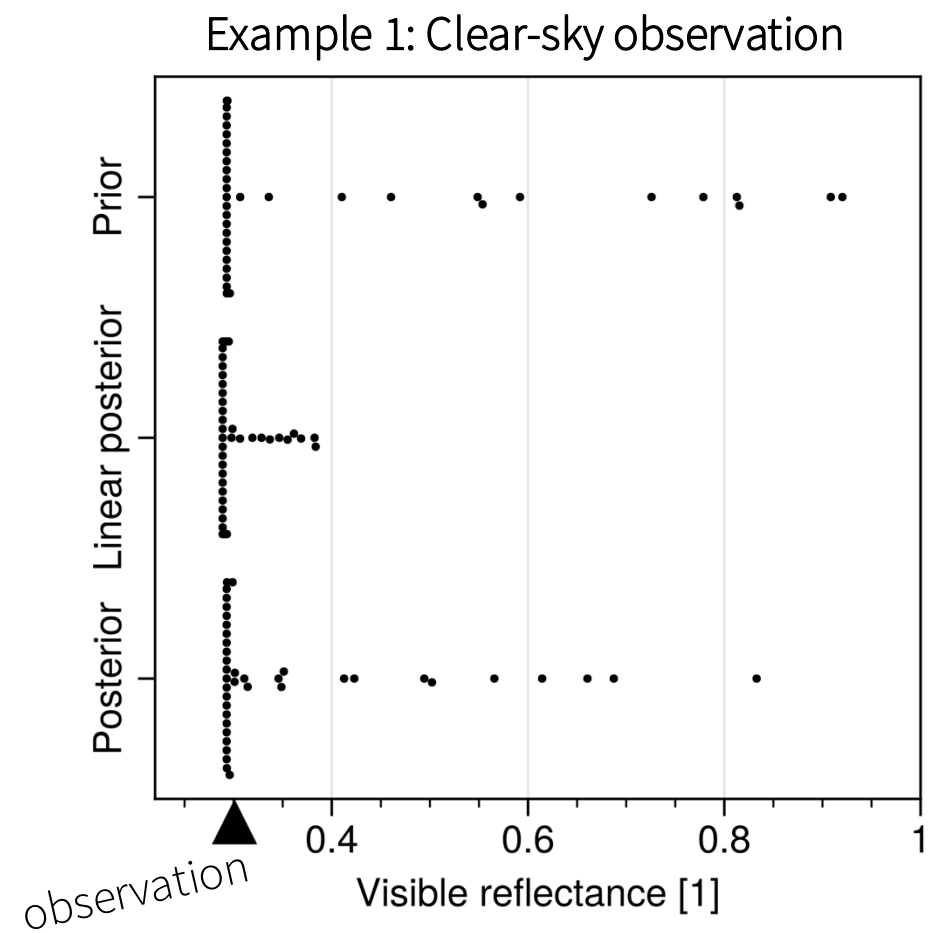
Results: Examples of Nonlinearity-induced Deviations



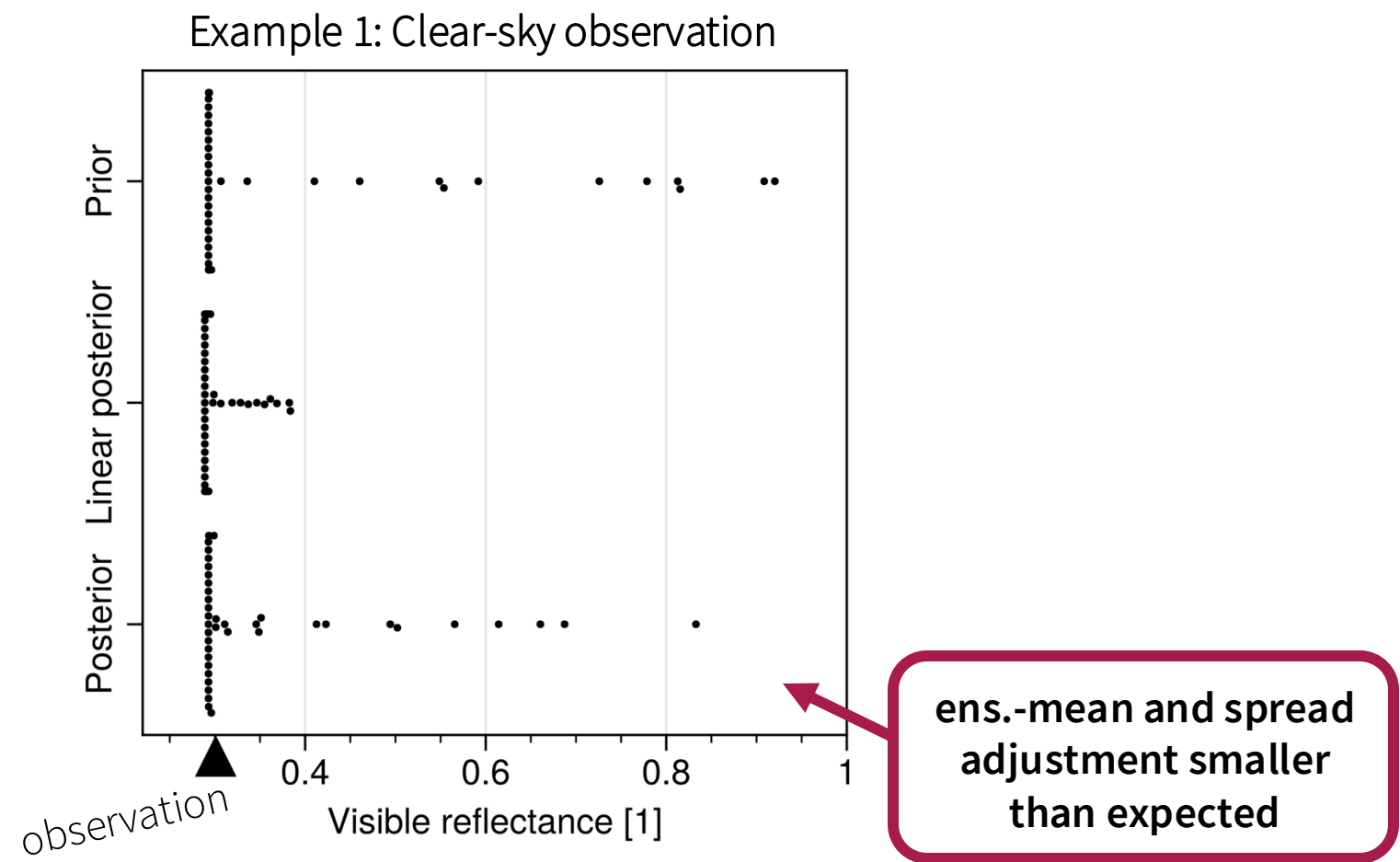
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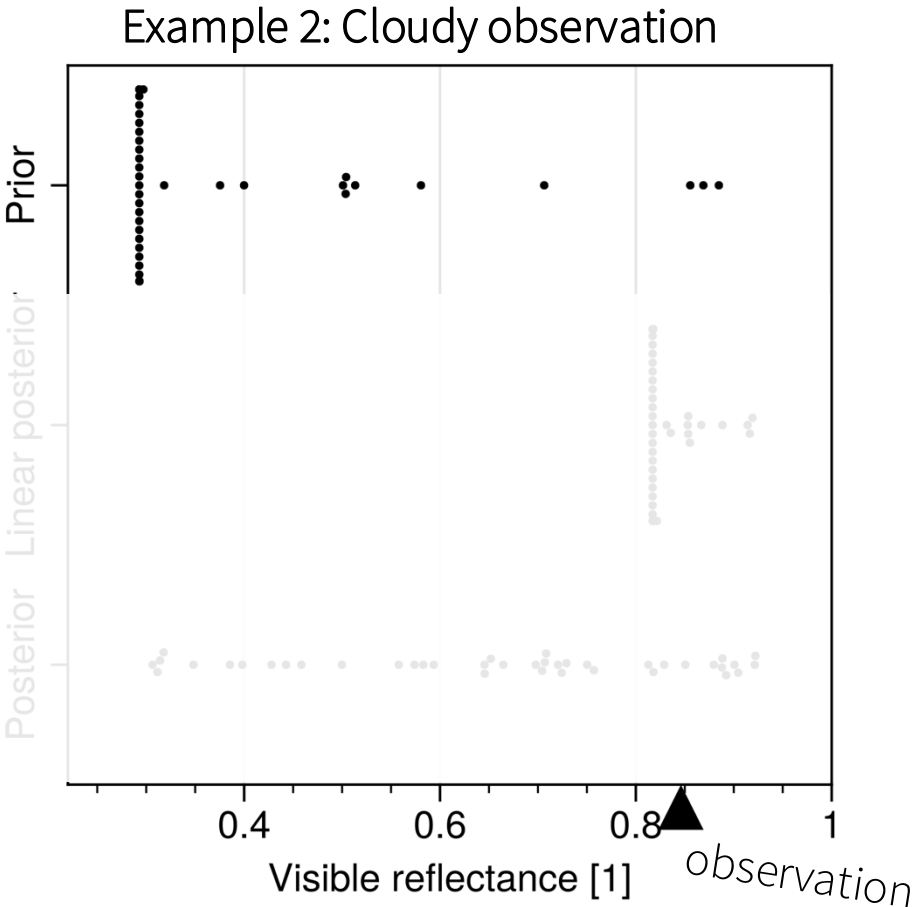
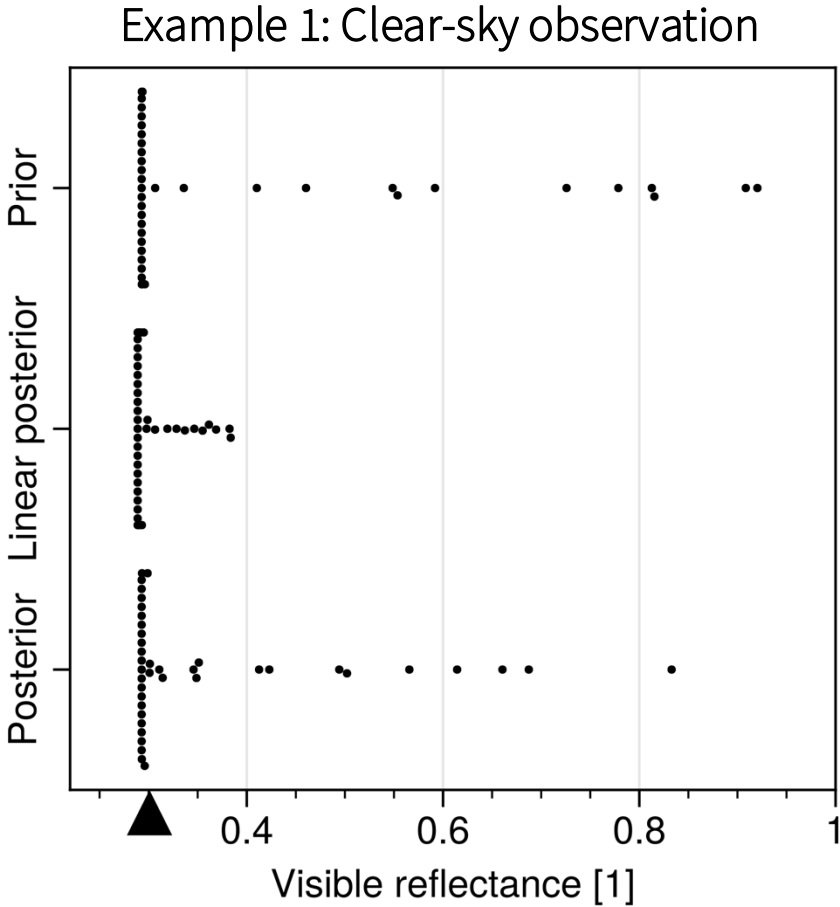
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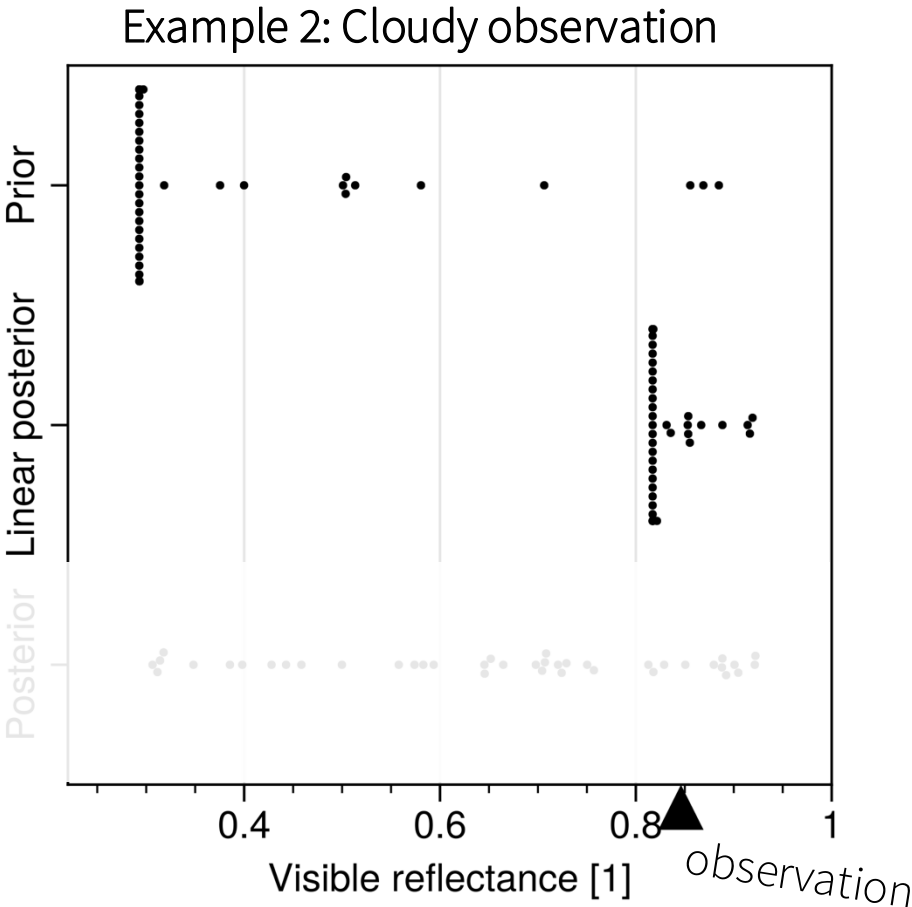
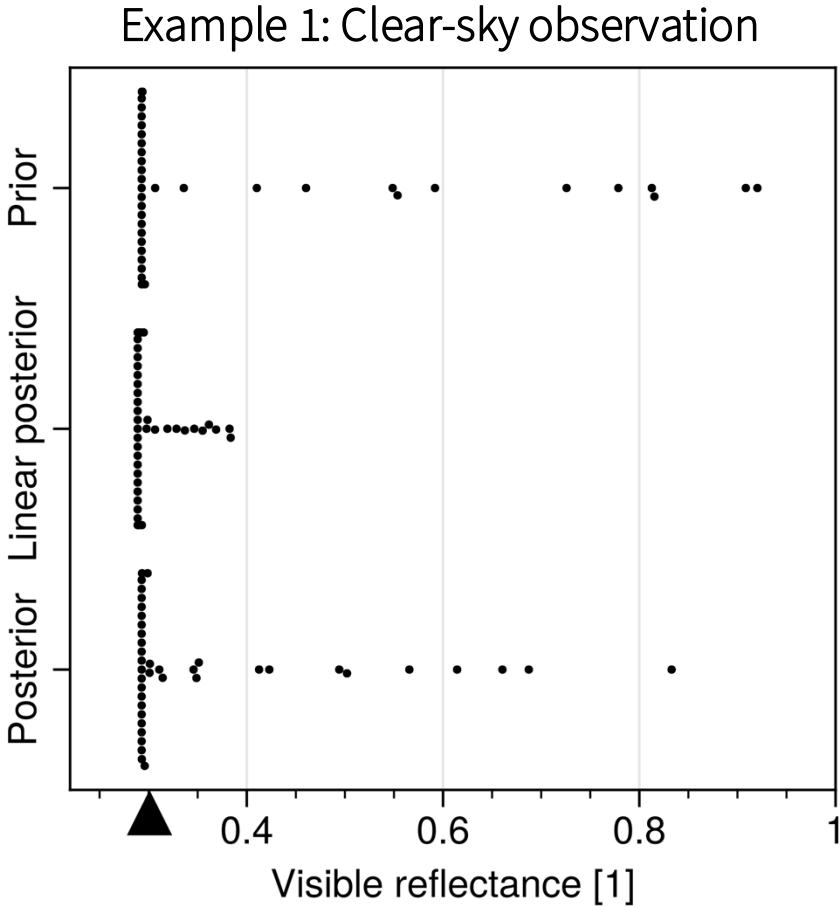
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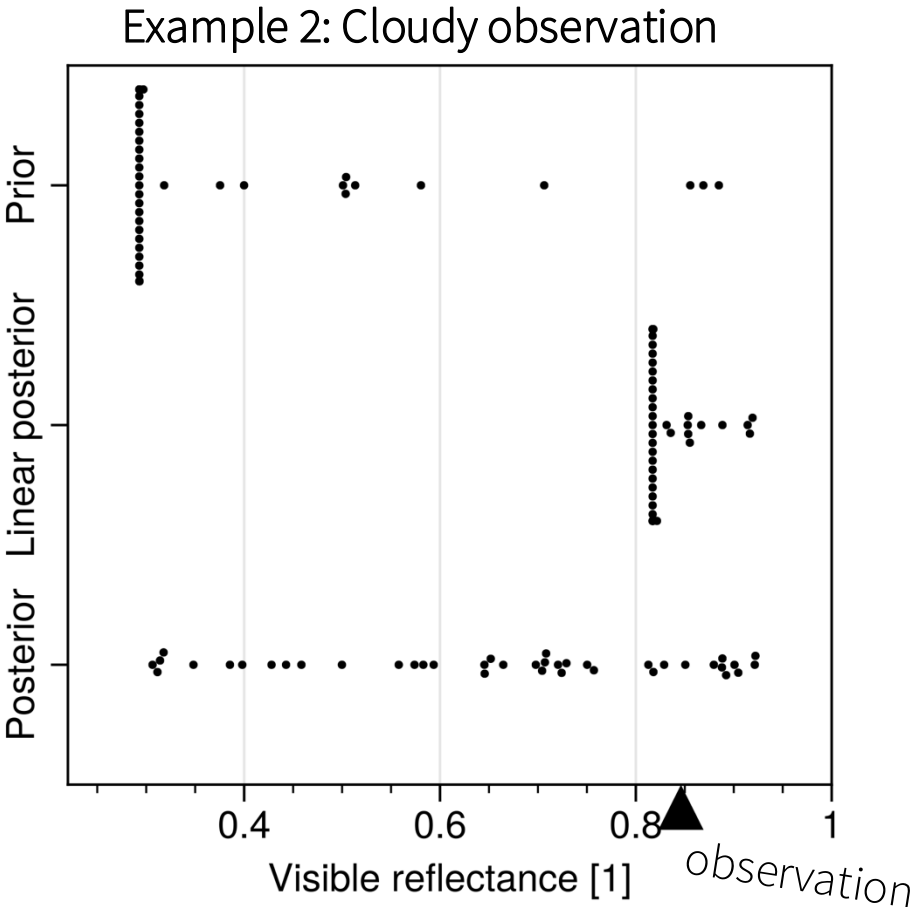
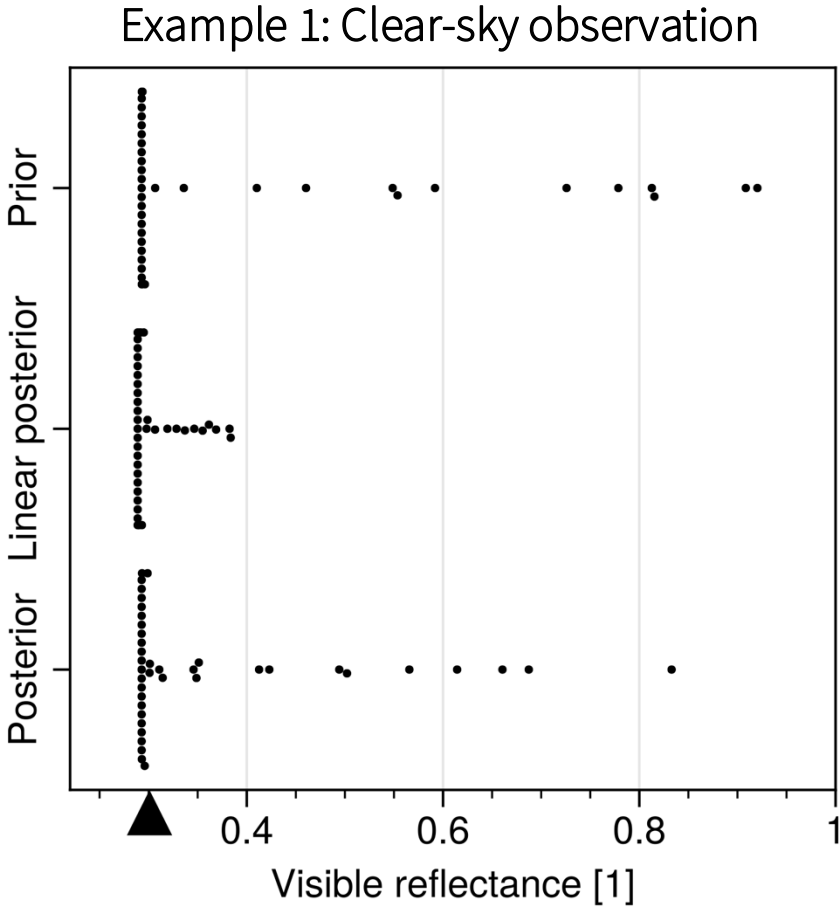
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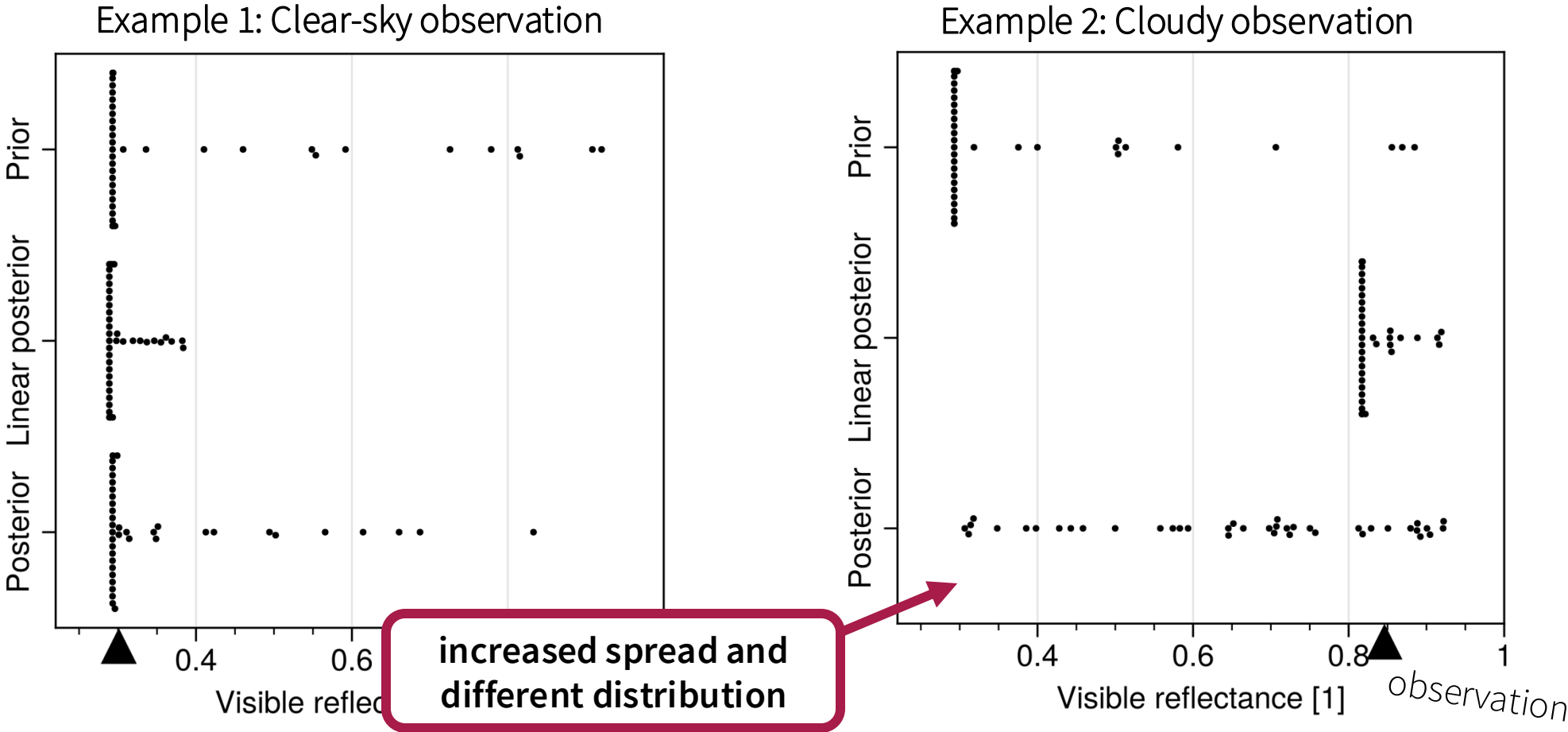
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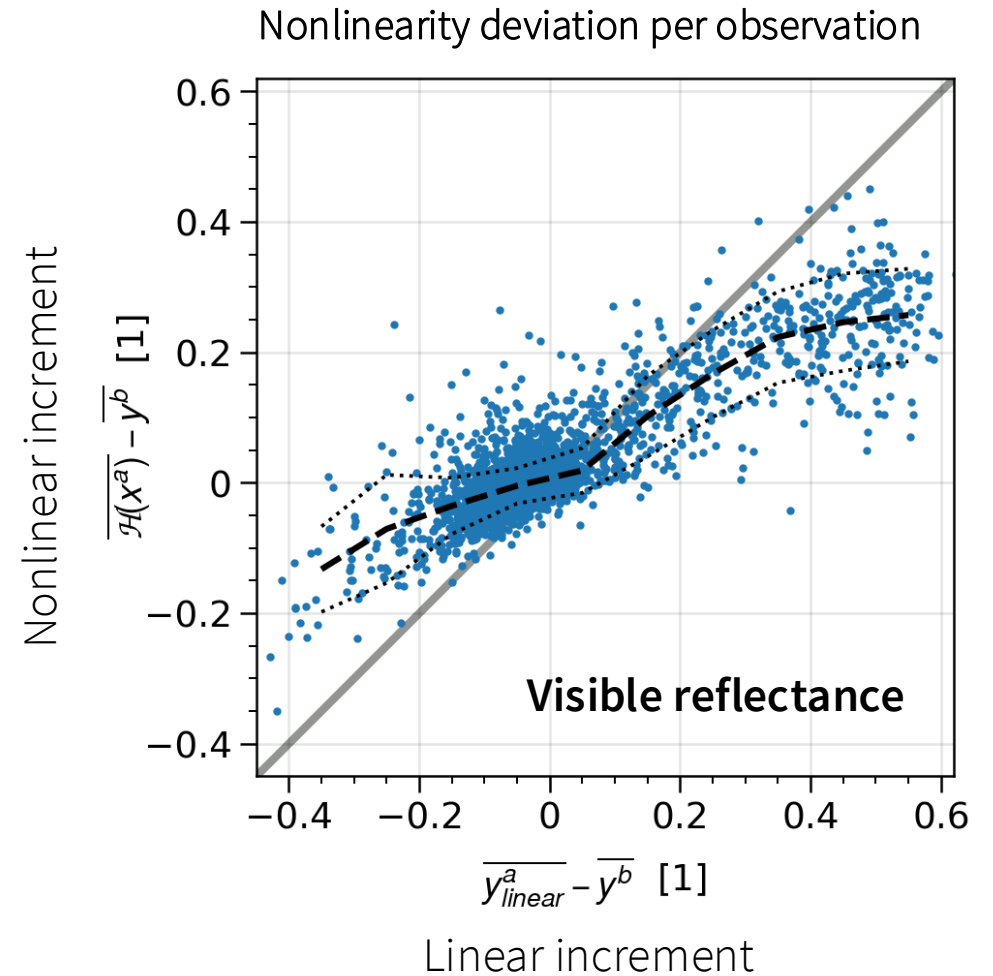
Results: Examples of Nonlinearity-induced Deviations



Results: Nonlinearity Deviations

Evaluation for visible and infrared radiance assimilation

- ⇒ Actual increments differ from theoretical expectation
- ⇒ **Systematic** and random deviations



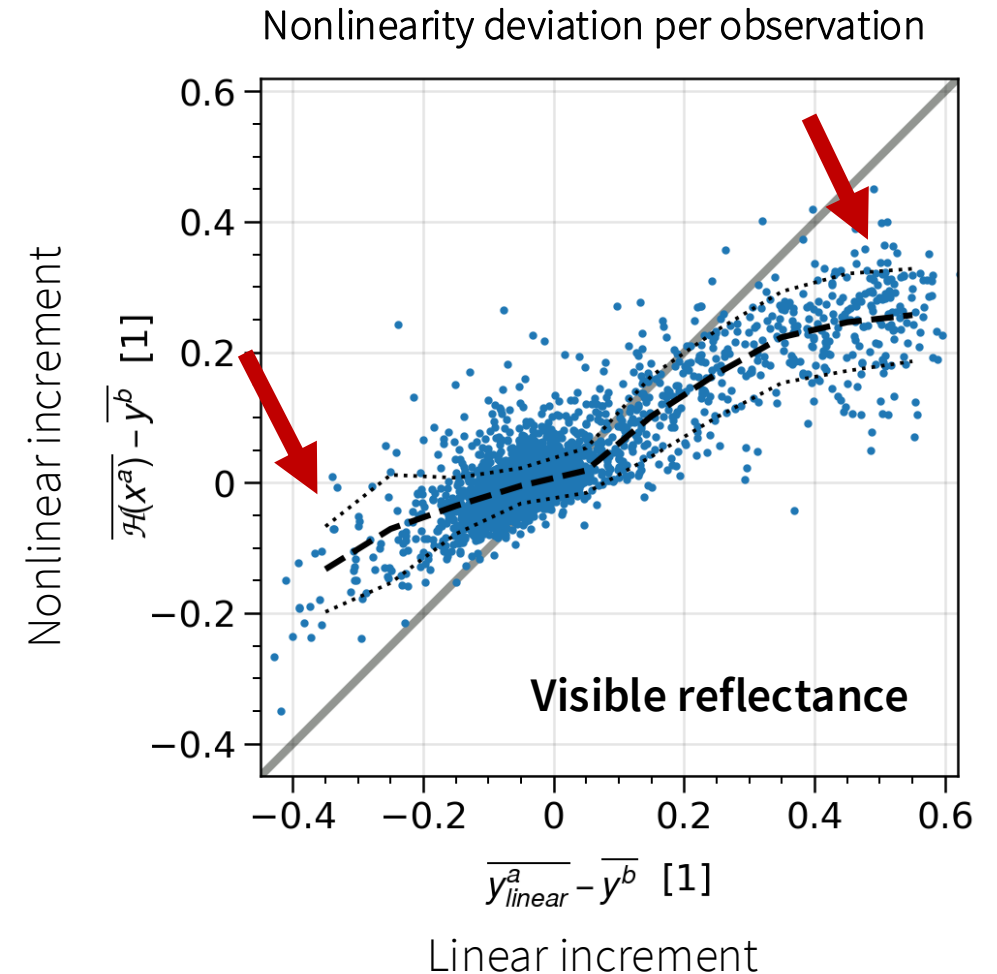
Results: Nonlinearity Deviations

Evaluation for visible and infrared radiance assimilation

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Results:

- 1) The ensemble mean **increment is mostly lower** than expected
 - **Effectiveness** of assimilating nonlinear observations **is lower** than for linear observations



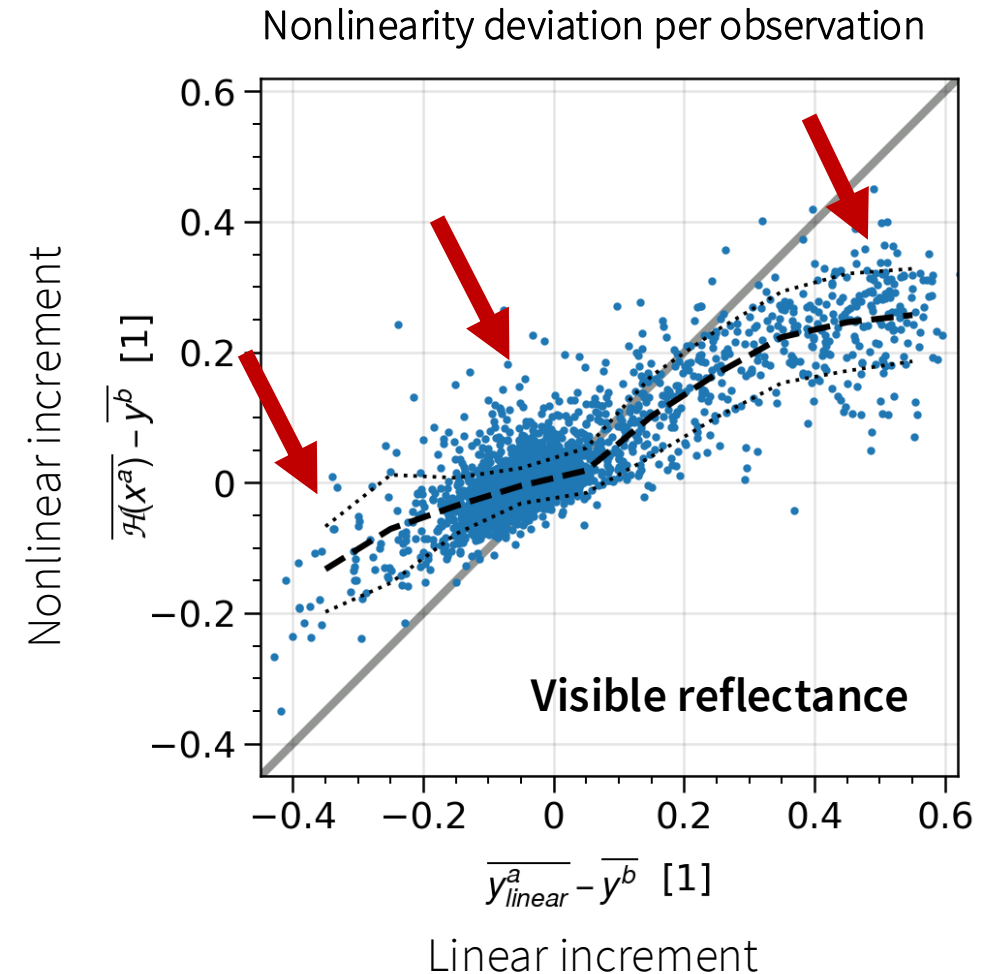
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Evaluation for visible and infrared radiance assimilation

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- ⇒ **Systematic** and random deviations

Results:

- 1) The ensemble mean **increment is mostly lower** than expected
 - **Effectiveness** of assimilating nonlinear observations **is lower** than for linear observations
- 2) Large relative nonlinearity associated to small first-guess departures (small linear increments)



Results: Nonlinearity Deviations

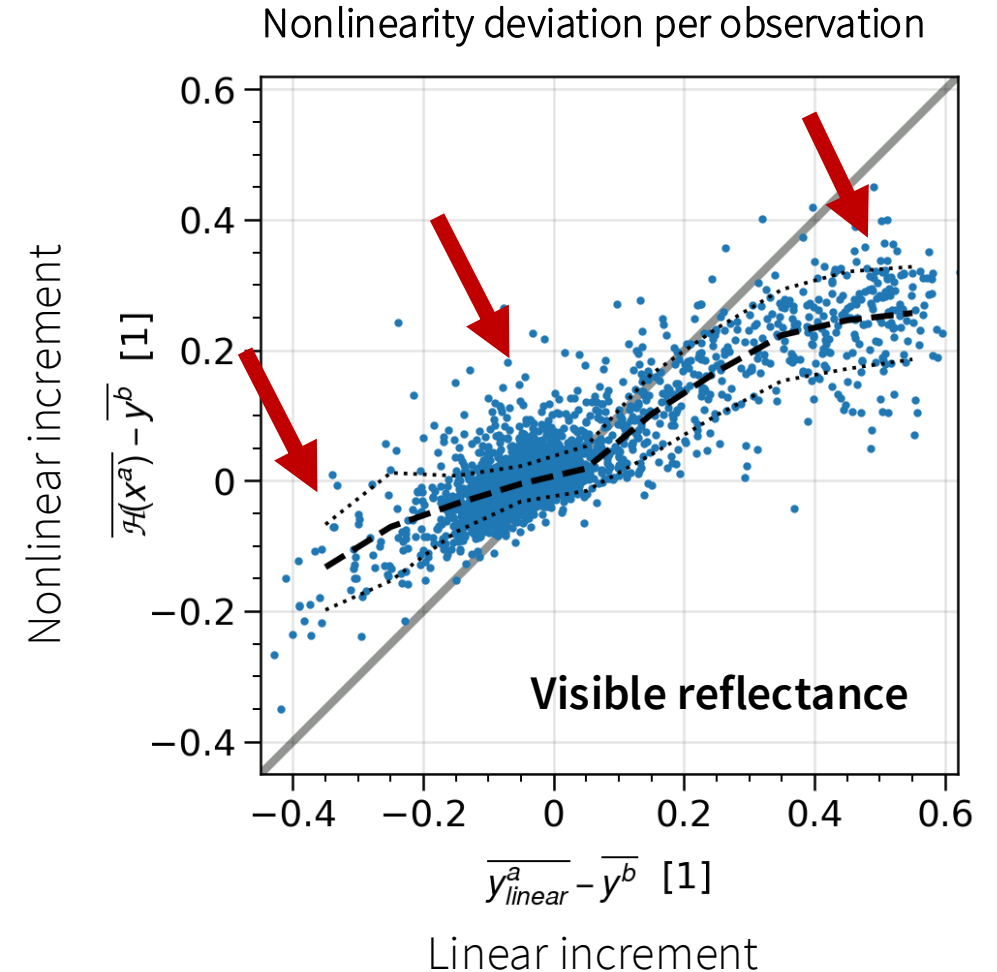
Evaluation for visible and infrared radiance assimilation

- ⇒ Actual increments differ from theoretical expectation
- ⇒ **Systematic** and random deviations

Results:

- 1) The ensemble mean **increment is mostly lower** than expected
 - **Effectiveness** of assimilating nonlinear observations **is lower** than for linear observations
- 2) Large relative nonlinearity associated to small first-guess departures (small linear increments)

For infrared results, check out the preprint!

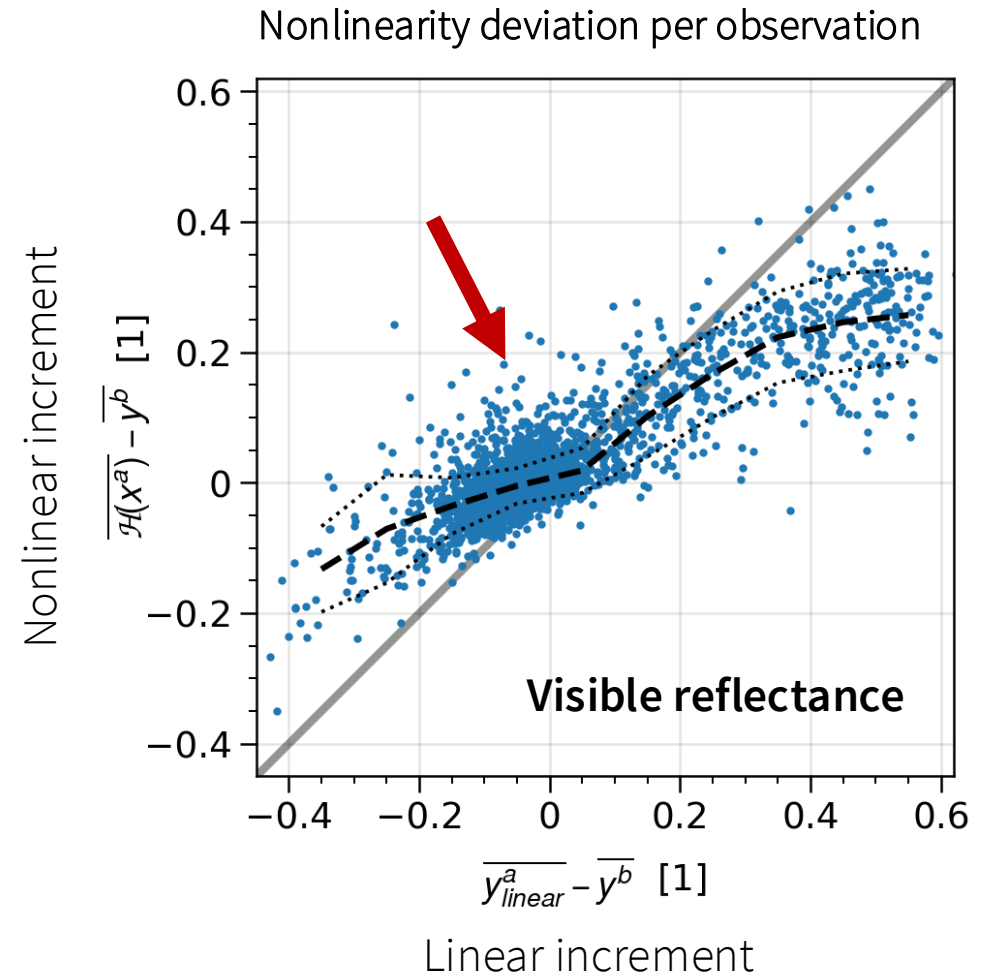


Results: Large Relative Nonlinearity Deviations

We saw, as [Scheck et al. 2020](#):

- Large relative nonlinearity associated with observations that are close to the prior
- Nonlinear posterior partly worse than prior

Hypothesis: Rejecting these observations improves forecasts



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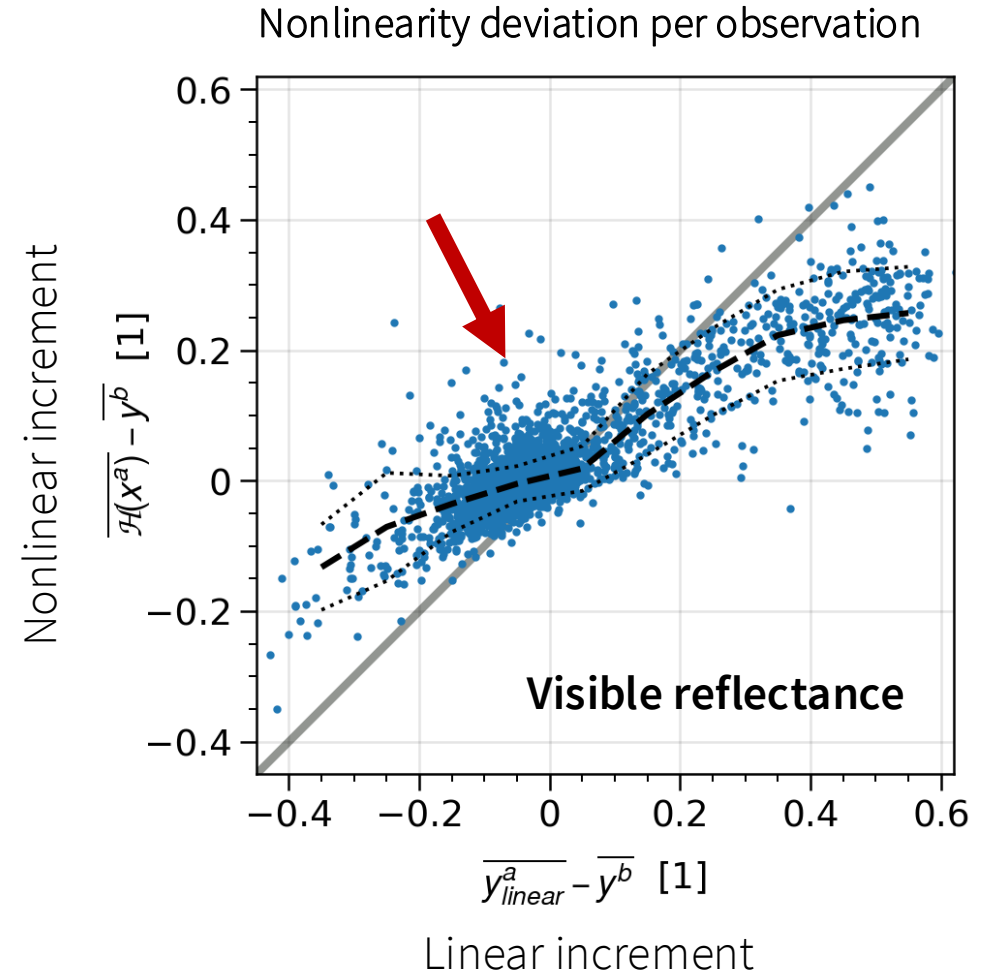
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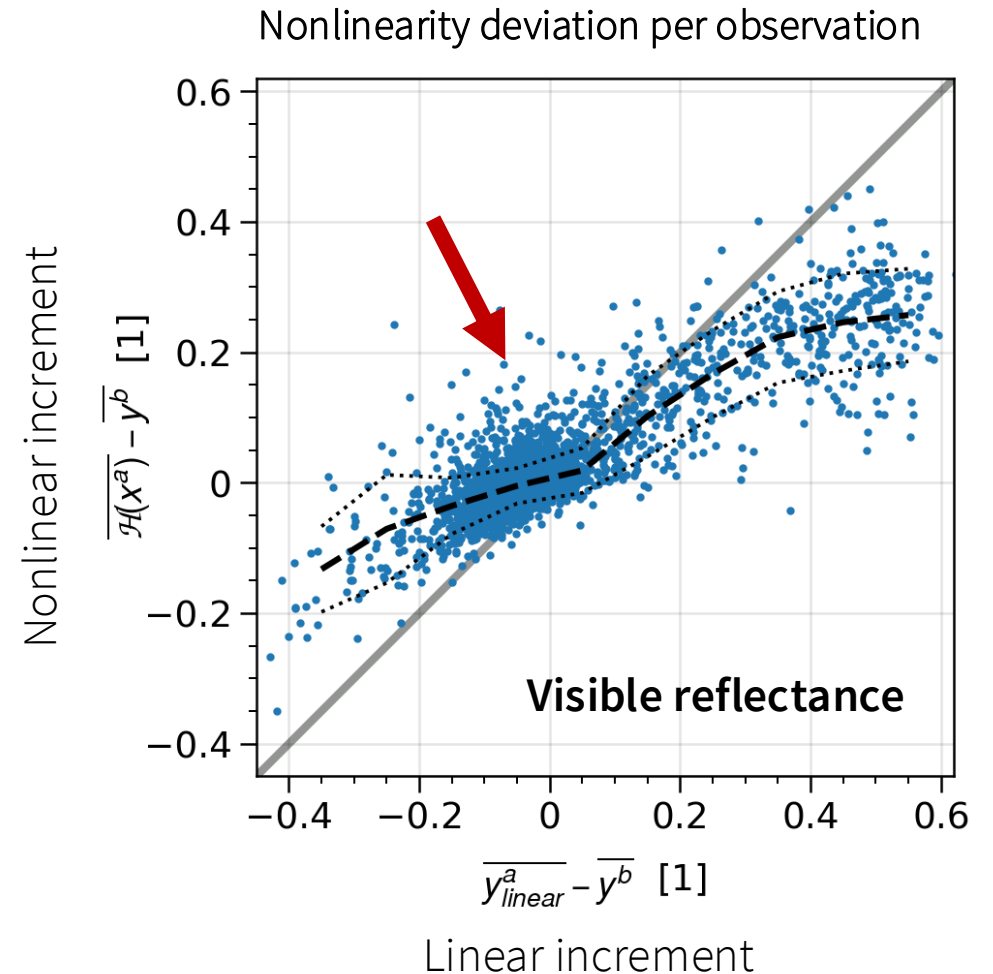
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Hypothesis: Rejecting these observations improves forecasts

Results:

- 1) Rejecting increases bias and MSE at these locations
- 2) Assimilating affirms the prior (mostly reduces spread) and avoids that other observations pull the ens.-mean away from its already accurate first-guess



Summary: Nonlinearity Deviations

- Nonlinear observation operators cause deviations* in the posterior
 - Despite this, the ensemble mean improved on average.

*from the expectation with a linear observation operator

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- Nonlinearity is relatively large, when the prior is close to the observation or almost clear sky
 - Deviation increases cloudiness (BT goes down, reflectance goes up)
 - Rejection not beneficial

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- **Spread reduction is smaller than expected*** and smaller than MSE reduction
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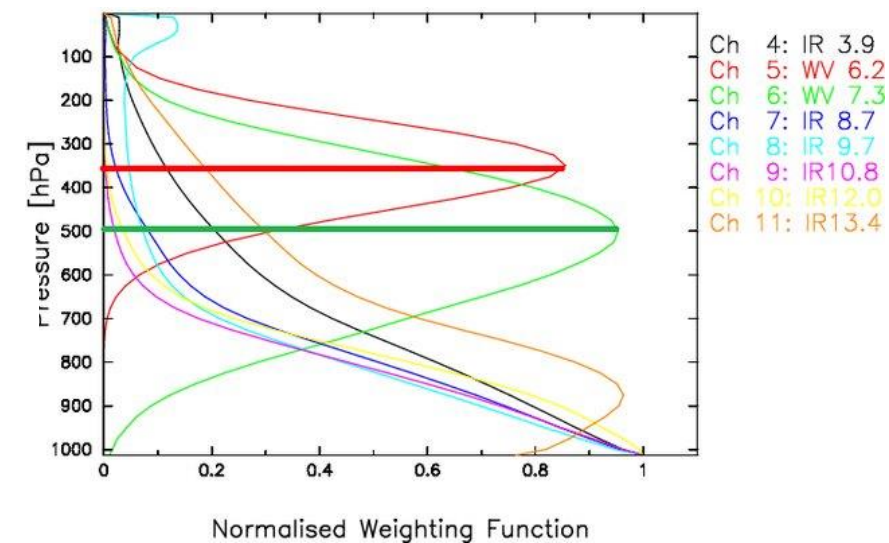
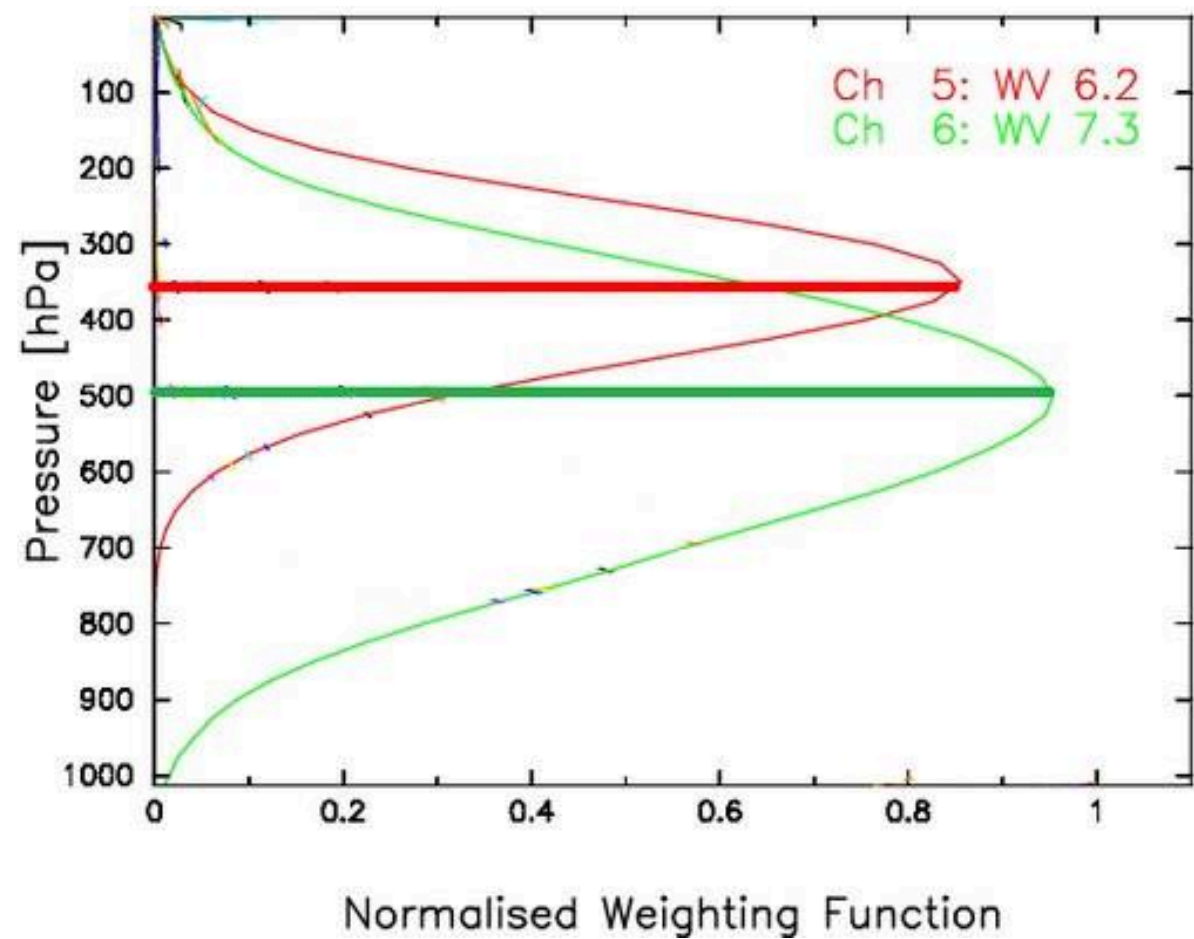
For more, see preprint

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Conclusions

- 1) [Kugler, Anderson, Weissmann \(2023\), QJRMS \(open access\)](#)
 - High potential impact of assimilating visible and infrared observations that can be comparable to 2D radar assimilation
- 2) [Kugler & Weissmann \(2024a\), QJRMS, submitted \(preprint online\)](#)
 - Combined assimilation reduces the ambiguity regarding vertical cloud structure
- 3) [Kugler & Weissmann \(2024b\), QJRMS, submitted \(preprint online\)](#)
 - Understanding nonlinearity deviations
 - Smaller ensemble-mean adjustments
 - Less spread reduction (or even increase)
 - Nonlinearity relatively strong for observations with small first-guess departures but beneficial since they mostly reduce spread (which avoids potential deterioration by other observations)

Weighting functions

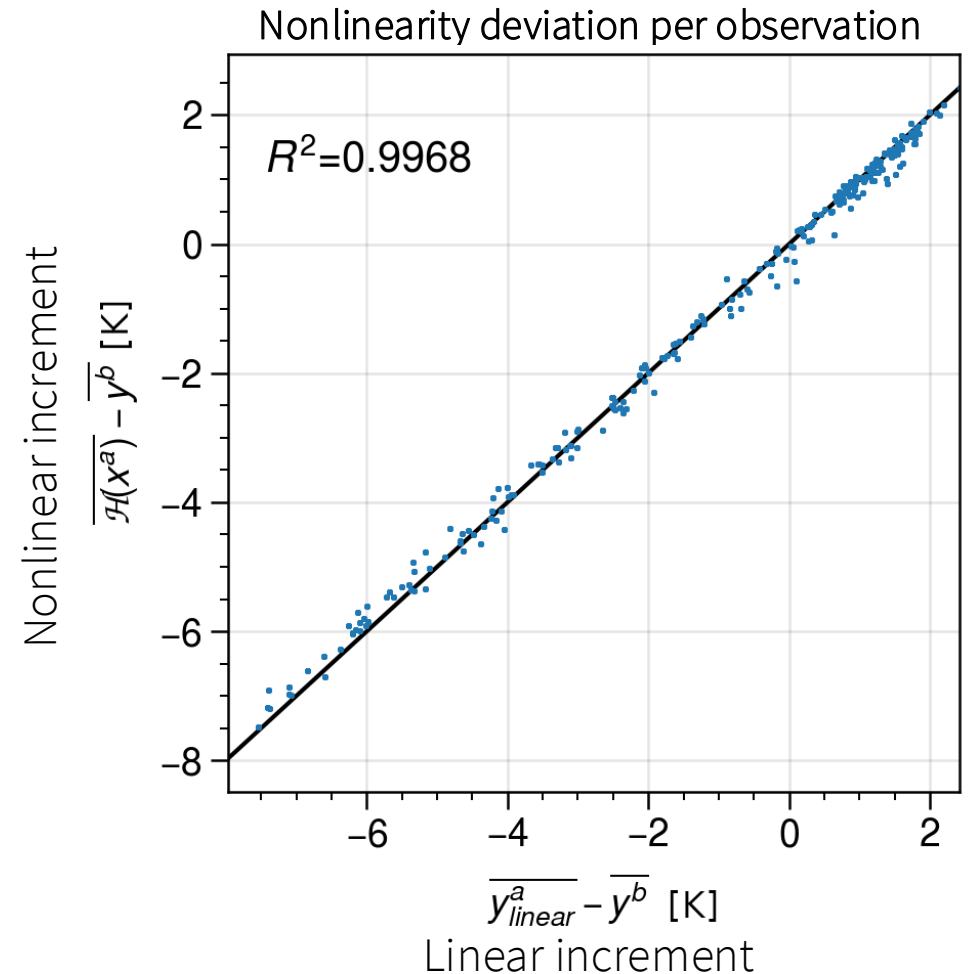


Results: Nonlinearity Deviations

- Test case with an almost linear observation operator:
2m-temperature observations

Result:

- Minimal differences
- Deviations are really due to nonlinearity
- Small differences since the observed variable „sensible temperature“ is a slightly nonlinear function of the state variable „potential temperature“

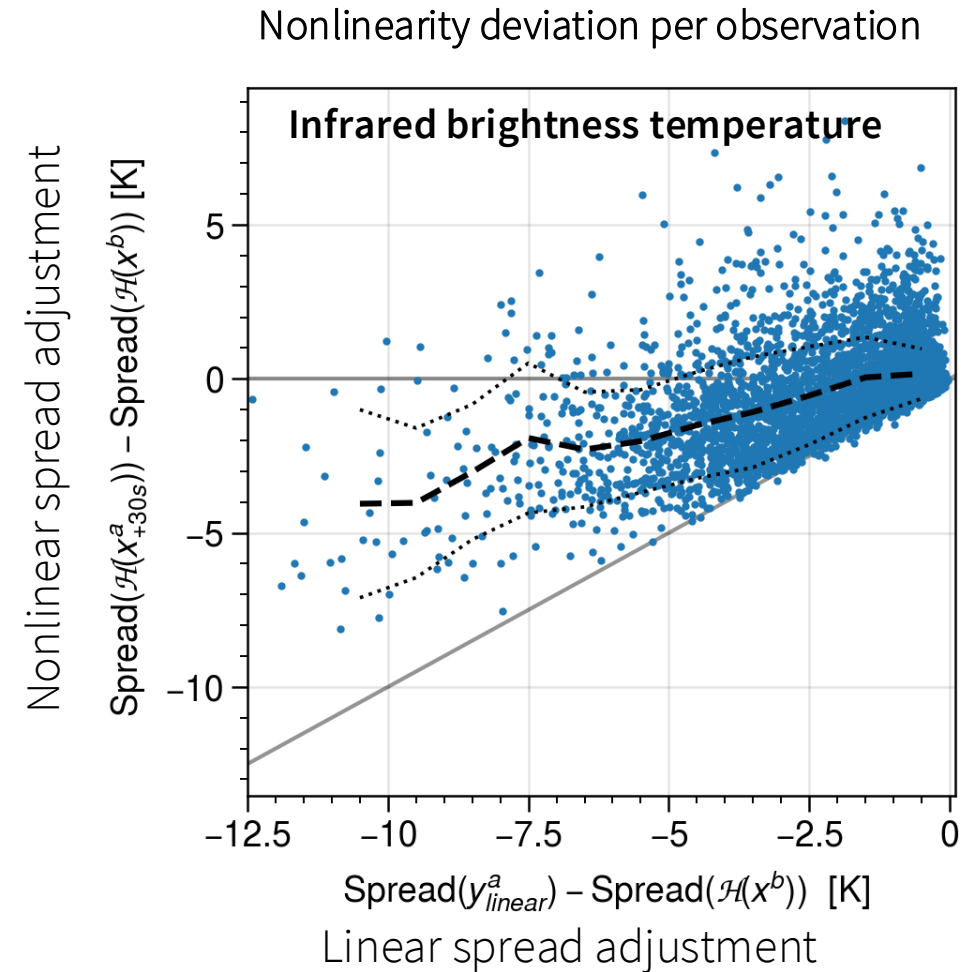


Results: Nonlinearity Deviations

- The ensemble-variance adjustment is also affected by systematic and random deviations

Result:

- 1) Variance adjustment can be positive (larger variance)
- 2) Variance adjustment nearly always lower than in the linear case
- 3) Variance adjustment tends to be lower than MSE reduction



Localization for infrared / visible observations

- Poster ISDA Kobe 2024: P5-01 (just before)
- Talk at ISDA Bologna 2023

Slides: https://eventi.unibo.it/isda2023/contributions/necker_tobias_empirical_optimal_vertical_localization_derived_from_large_ensembles.pdf/@@download/file/Necker_Tobias_Empirical_optimal_vertical_localization_derived_from_large_ensembles.pdf

- Citeable as EGU abstract:

Necker, T., Honda, T., Griewank, P., Miyoshi, T., and Weissmann, M.: *Situation-Dependent Localization for All-Sky Satellite Observations*, EGU General Assembly 2024, Vienna, Austria, 14–19 Apr 2024, <https://doi.org/10.5194/egusphere-egu24-8868>, 2024.

